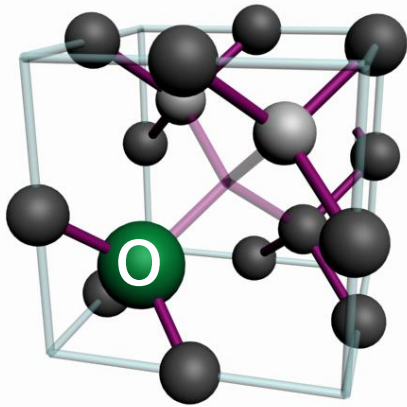


Colour centers in diamond



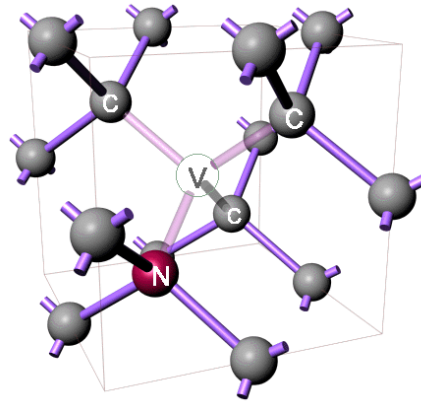
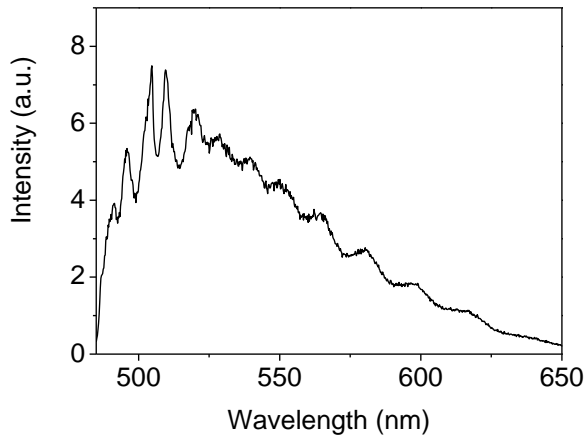
Slides provided by:
Joerg Wrachtrup
Ronald Hanson
Lilly Childress

The dopants



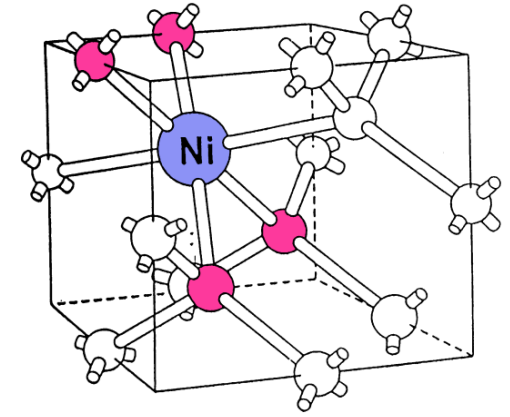
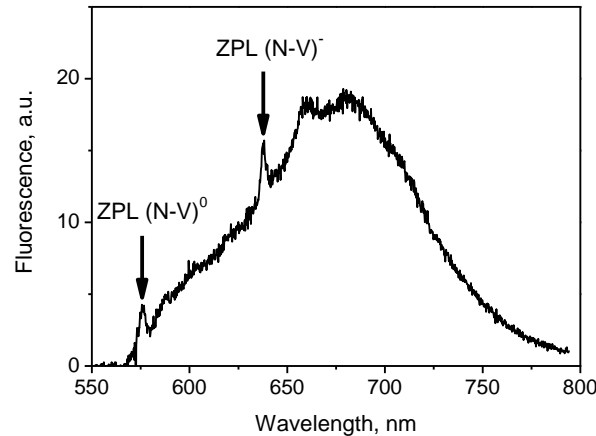
TR12

PRB 72, 035214 2005



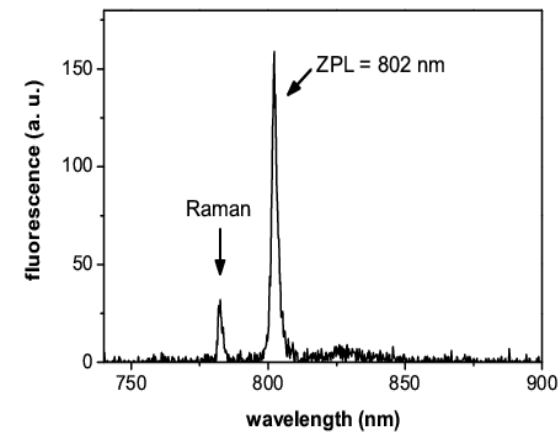
NV

Science 276, 2012-2014 (1997)

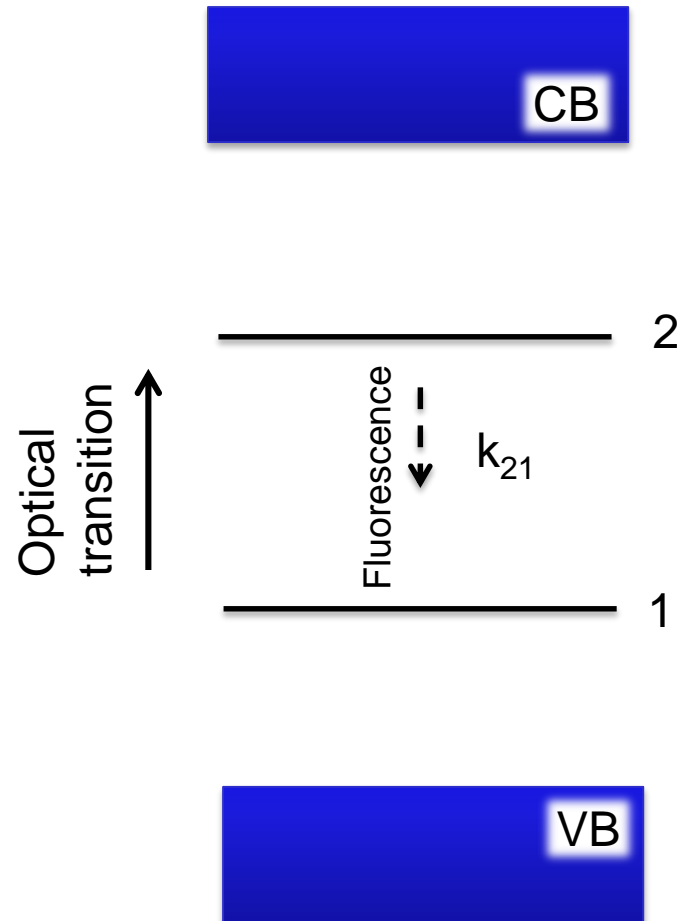


NE8b

Phys. Rev. Lett. **94**, 180602 (2005)

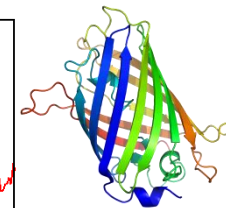
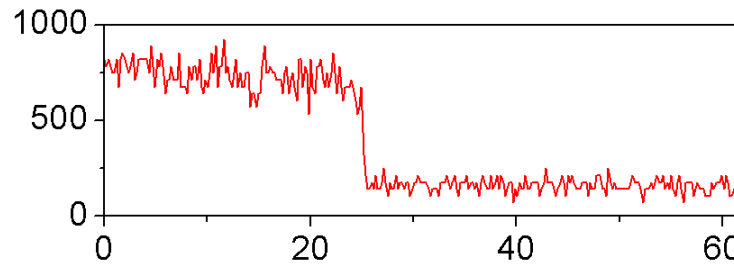
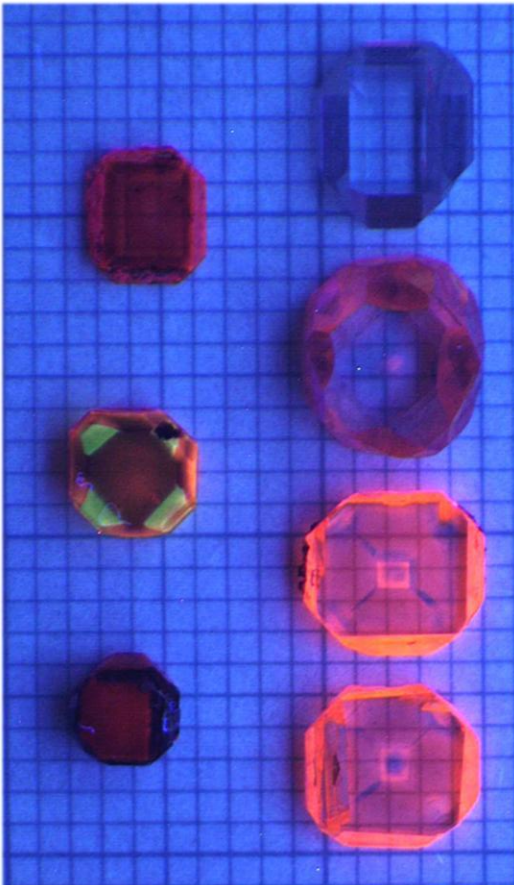


Level scheme of color centers

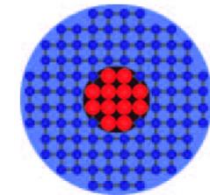
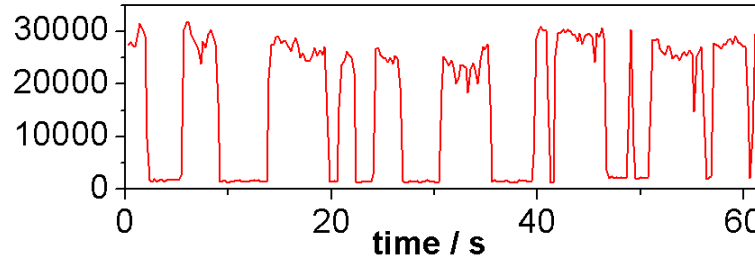


Shielding by the diamond lattice provides perfect photostability

www.pi3.uni-stuttgart.de

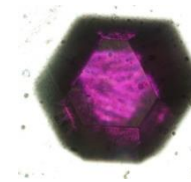
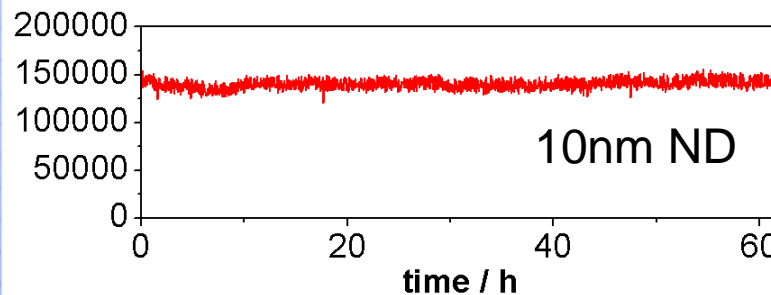


⇒ Oxidation



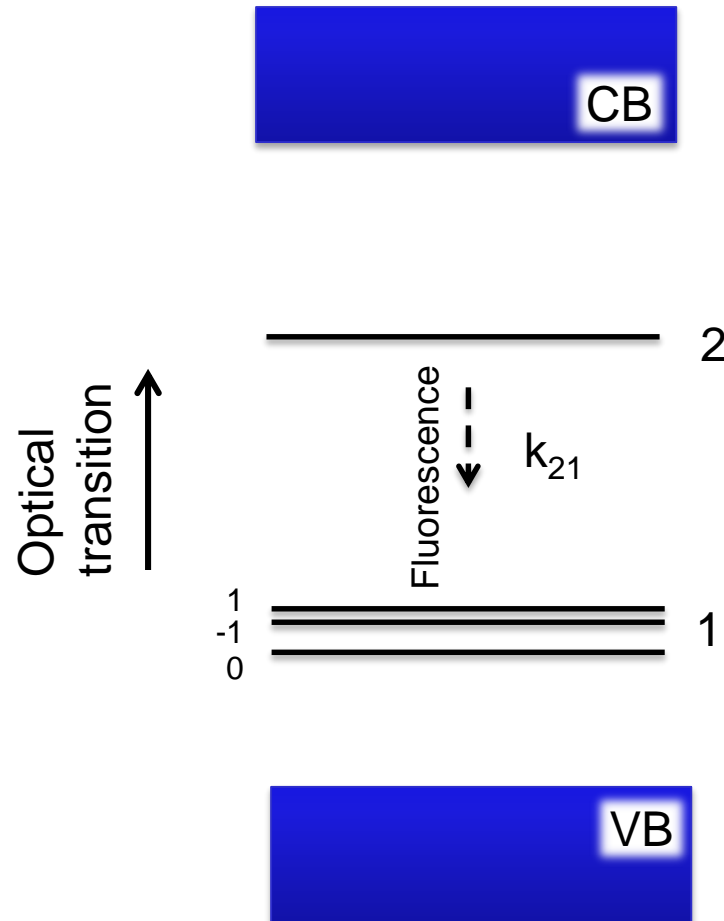
⇒ ionization

QD



⇒ perfect stability

Level structure of color centers



Even electron spin states are resolvable

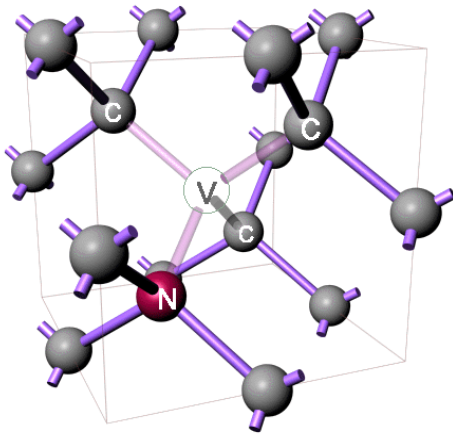
Defect behaves as a single atom, trapped in the diamond lattice

Level structure similar to trapped ions or atoms

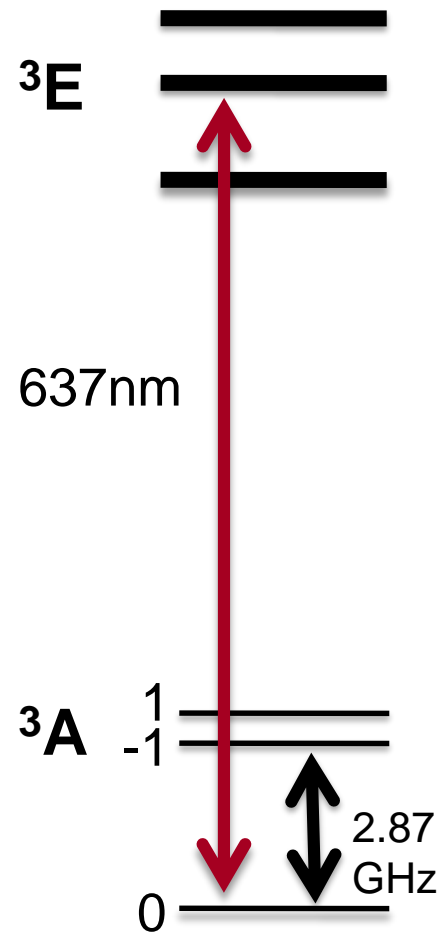
⇒ Diamond provides a solid state ion trap

⇒ Experimental power similar to trapped particles, but much easier to transform into applications

The NV center



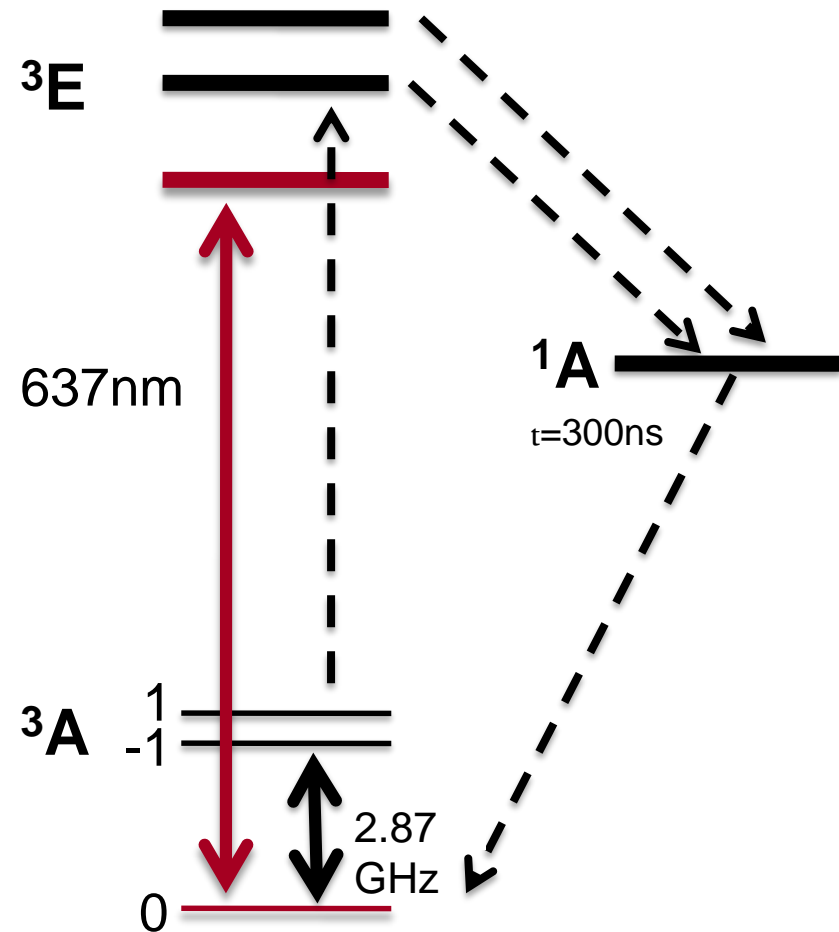
- Joint defect consisting of
 - Vacancy
 - Neighbouring substitutional N
- Negatively charged (NV^-)
- Six electron (= two hole) system



The NV center

Amazing features:

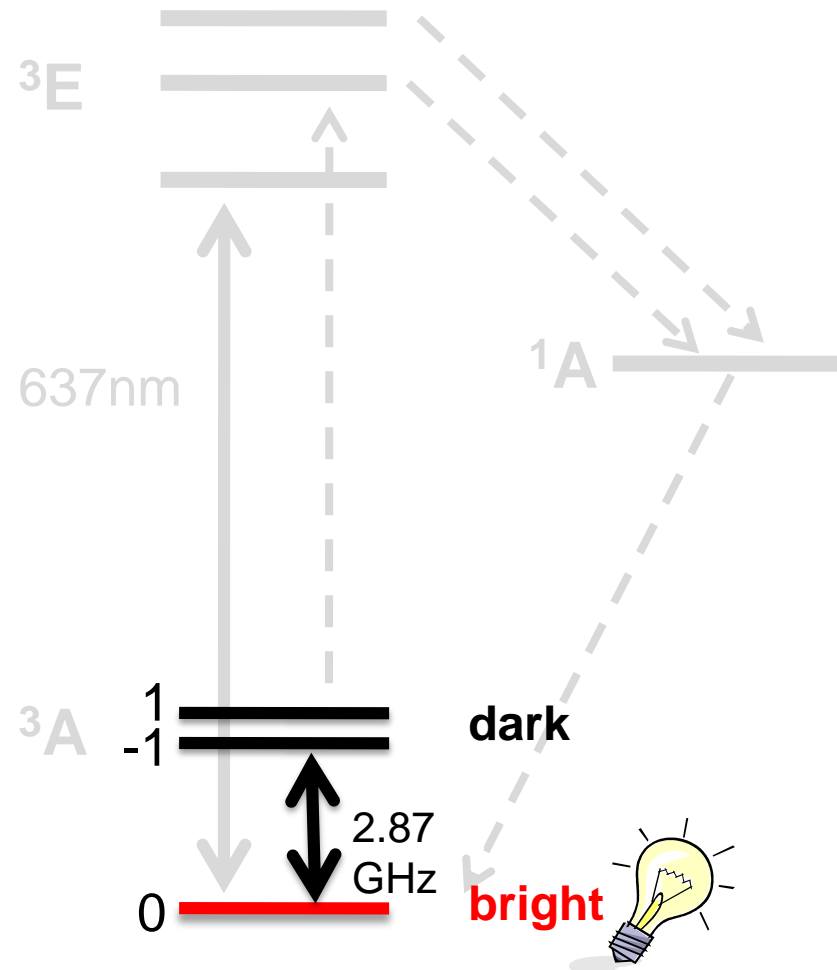
- Optical detection of the spin state
- Optical spin polarisation of the ground state (« Laser cooling »)
- Narrow lines, $T_2 = 1\text{ms}$, Linewidth of ground state levels: 1 kHz.



The NV center

Amazing features:

- Optical detection of the spin state
- Optical spin polarisation of the ground state (« Laser cooling »)
- Narrow lines, $T_2 = 1\text{ms}$, Linewidth of ground state levels: 1 kHz.



Experimental setup for optical spin readout

Confocal microscope
with microwave access

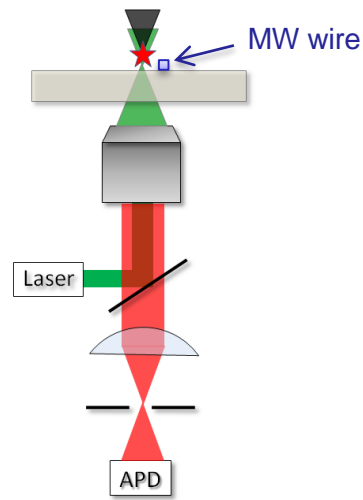
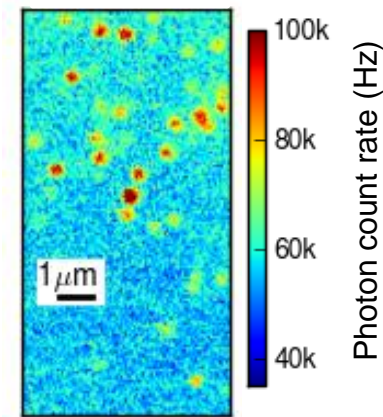
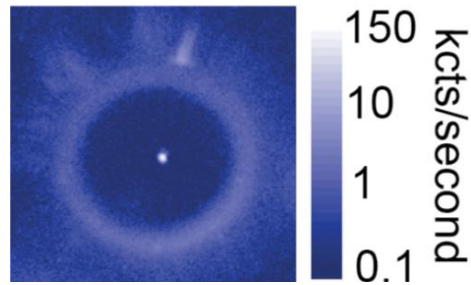


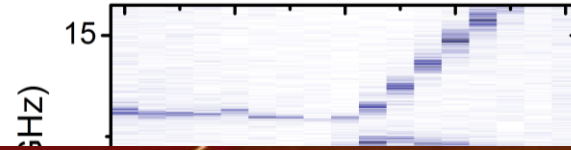
Image of implanted diamond



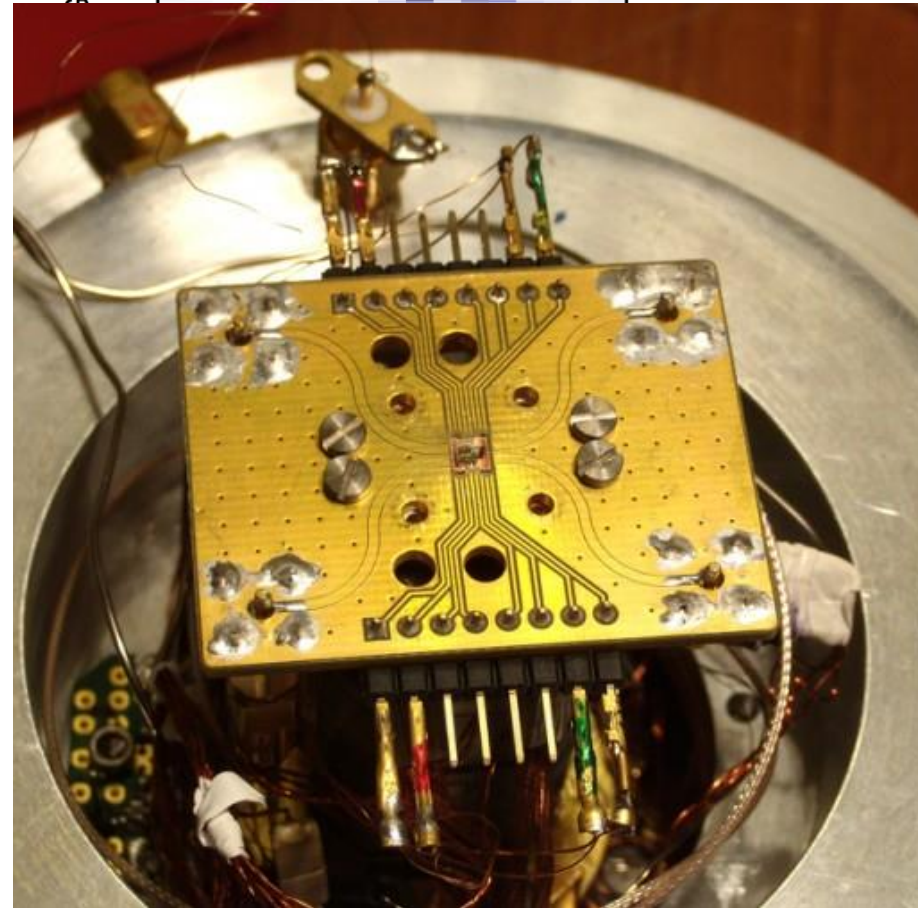
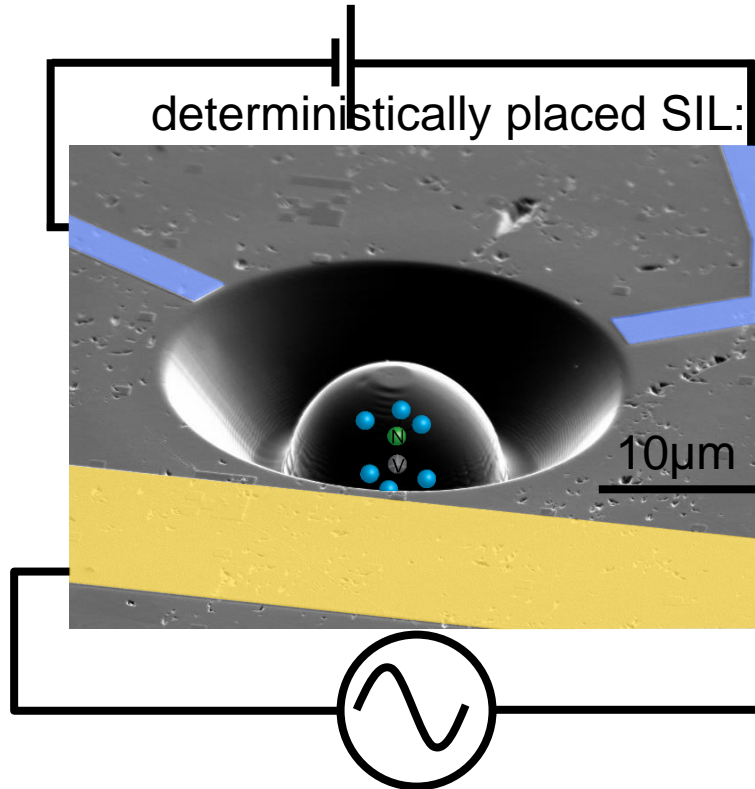
Wiring up NV centers



dc Stark tuning:

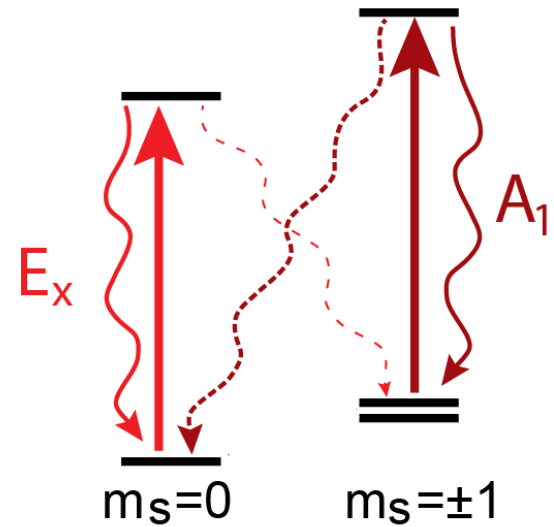
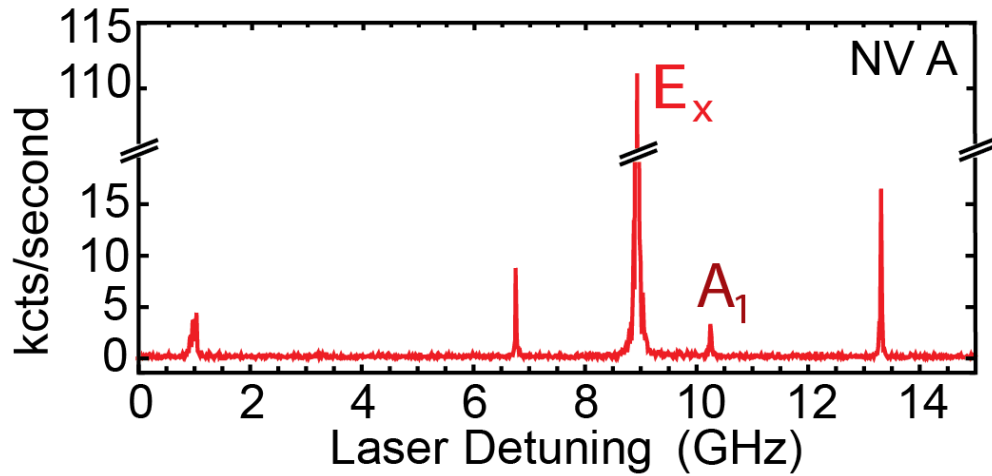


deterministically placed SIL:



CVD diamonds grown by Element6

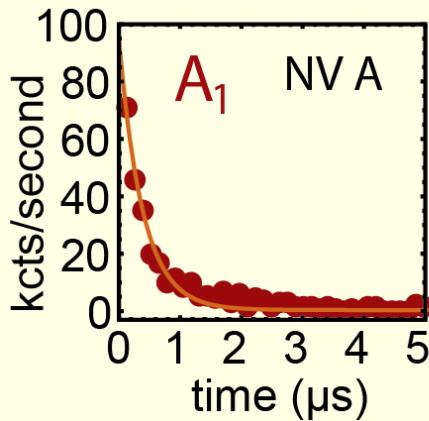
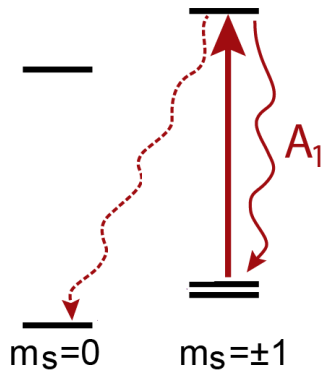
Spin-resolved optical excitation ($T < 10\text{K}$)



Initialization and readout by resonant excitation

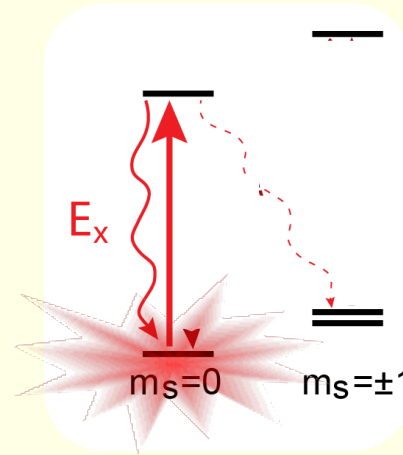
Nature 477, 574 (2011)

Initialization

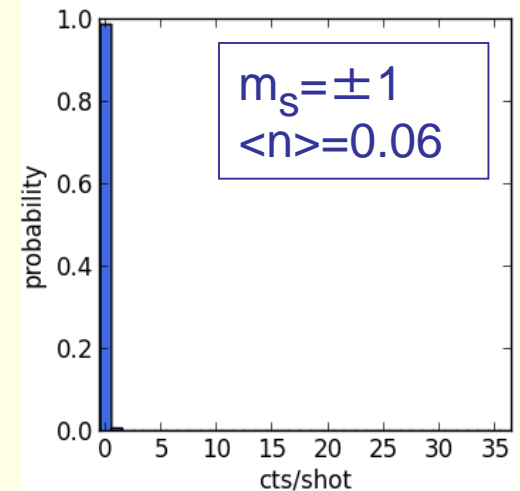
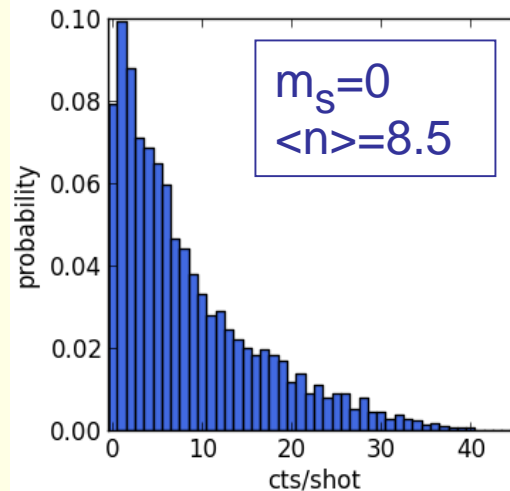


fidelity > 99.7%

Single-Shot Readout

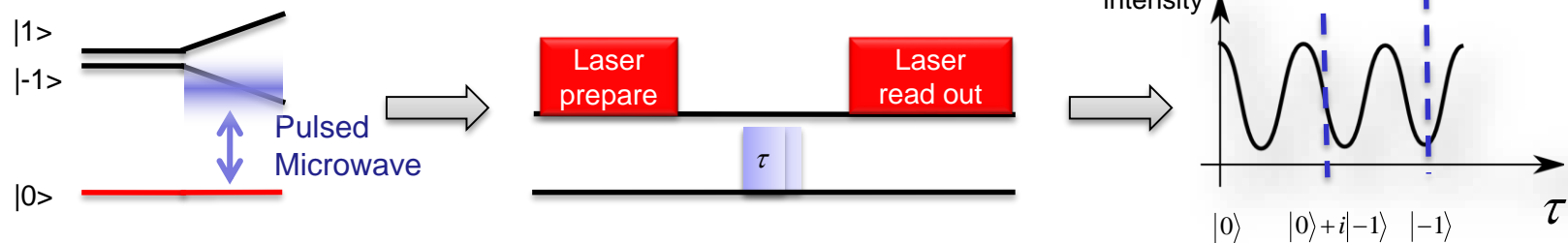


**our best
fidelity \approx 98%**



Manipulating a single spin

Experimental sequence



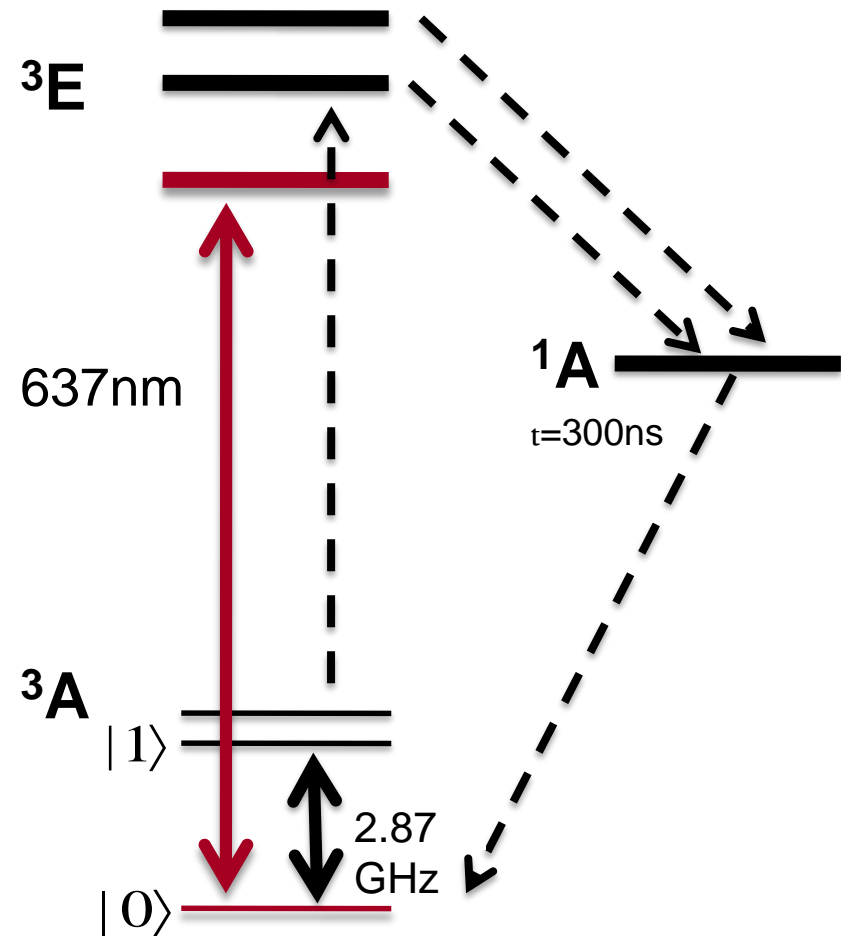
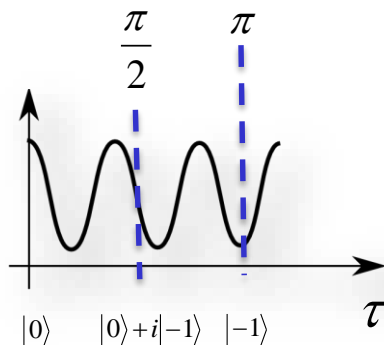
- Pulsed sequence consisting of laser cooling, spin manipulation and detection
 - Signal is $\langle 1 \text{ photon/repetition} \Rightarrow$ many repetitions
- \Rightarrow Similar to ion trap, but experimentally easier

The NV center

Amazing features:

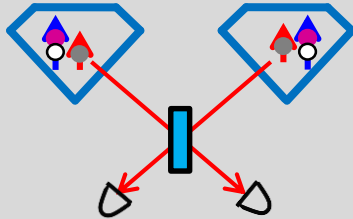
- Optical detection of the spin state
- Optical spin polarisation of the ground state (« Laser cooling »)
- Narrow lines, $T_2 = 1\text{ms}$, Linewidth of ground state levels: 1 kHz.

Single Qubit gates: Microwave pulses



Coupling NV centers

Photons



Cirac, Zoller
Lukin `06

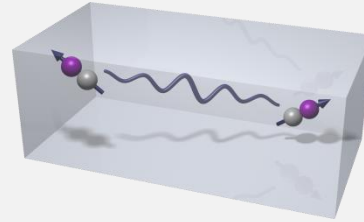
- Proper levels and transitions

Manson, Hemmer, Santori

- Transfer limited photons:
Batalov et al. PRL 08

- But: bad coupling efficiency

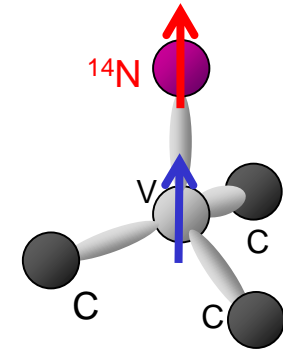
Magnetic Dipolar coupling



- Magnetic dipoles

$$d_{\text{coherent}} \propto \sqrt[3]{T_2}$$

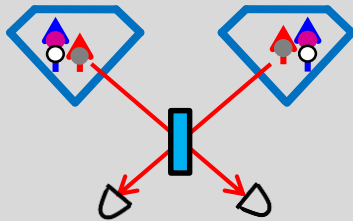
Use nuclear spin qubits



- Couple NV to surrounding nuclei
- Couple nuclei via NV
- Read out single nuclei

Coupling NV centers

Photons



Cirac, Zoller
Lukin `06

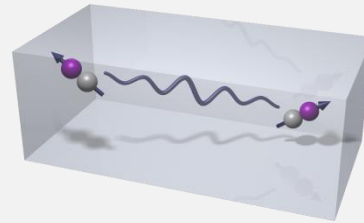
- Proper levels and transitions

Manson, Hemmer, Santori

- Transfer limited photons:
Batalov et al. PRL 08

- But: bad coupling efficiency

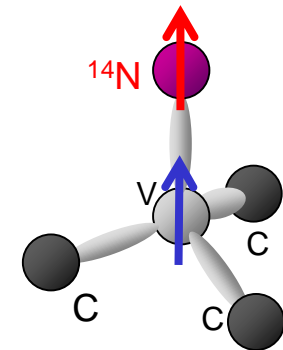
Magnetic Dipolar coupling



- Magnetic dipoles

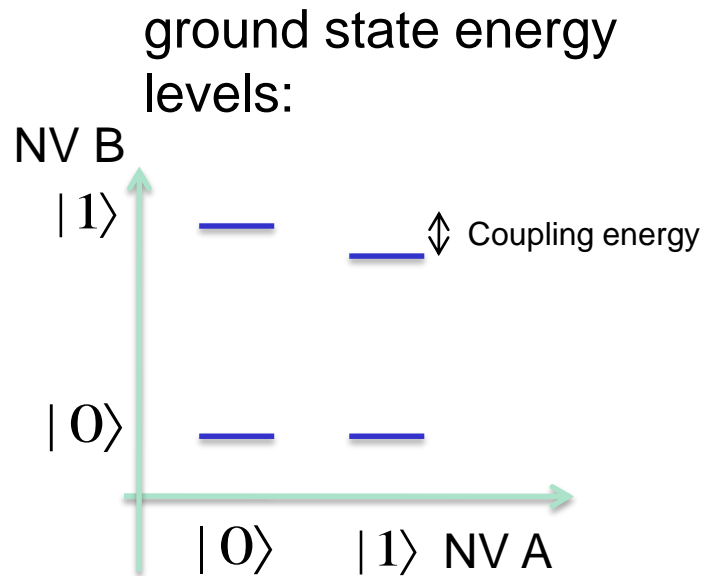
$$d_{\text{coherent}} \propto \sqrt[3]{T_2}$$

Use nuclear spin qubits

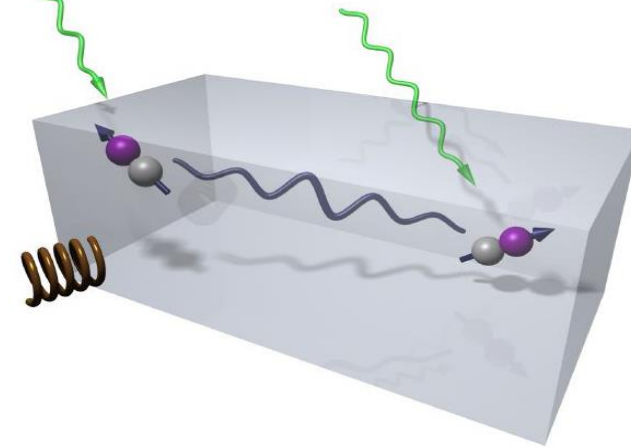


- Couple NV to surrounding nuclei
- Couple nuclei via NV
- Read out single nuclei

Coupling by dipolar interaction



$$H \equiv g\beta\mathbf{BS}_{A,B} + (\mathbf{S}\bar{\mathbf{D}}\mathbf{S})_{A,B}$$



Idea:

⇒ NV B feels the magnetic dipole of NV A

⇒ Depending on the state NV A, NV B has another resonance frequency

Nuclear spin Hamiltonian

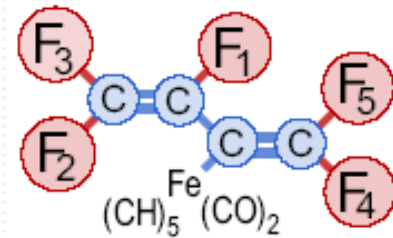
Coupled spins $J > 0$: antiferro mag.

$J < 0$: ferro-mag.

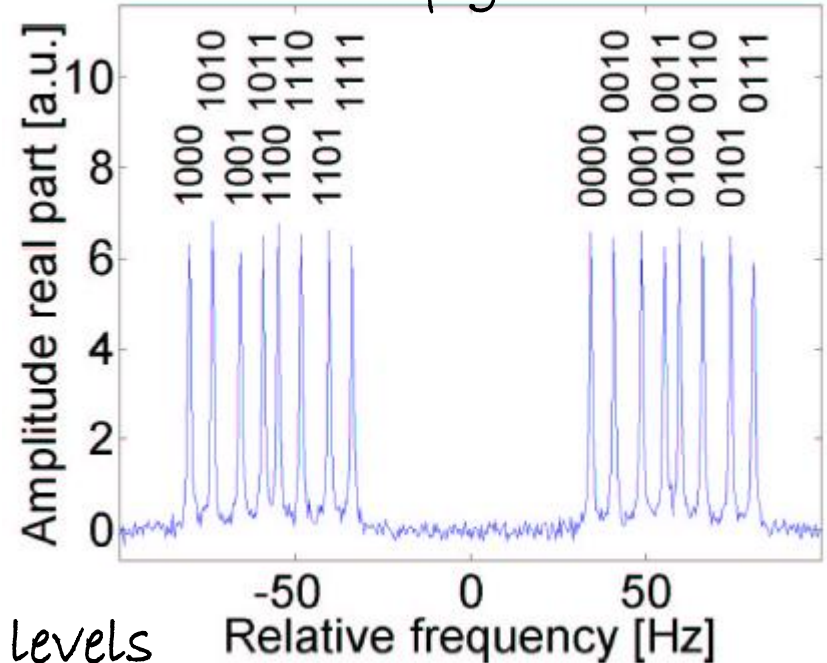
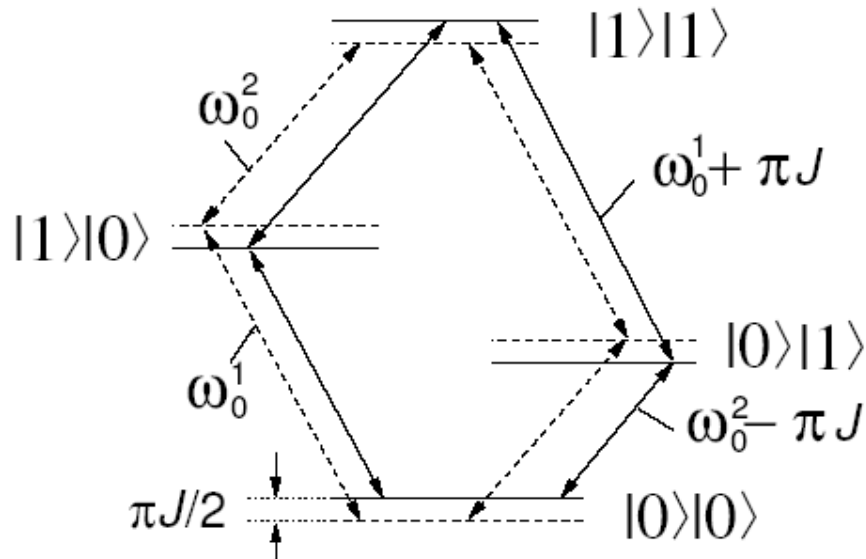
$$\mathcal{H}_J = \hbar \sum_{i < j}^n 2\pi J_{ij} I_z^i I_z^j$$

coupling term

Typical values: J up to few 100 Hz



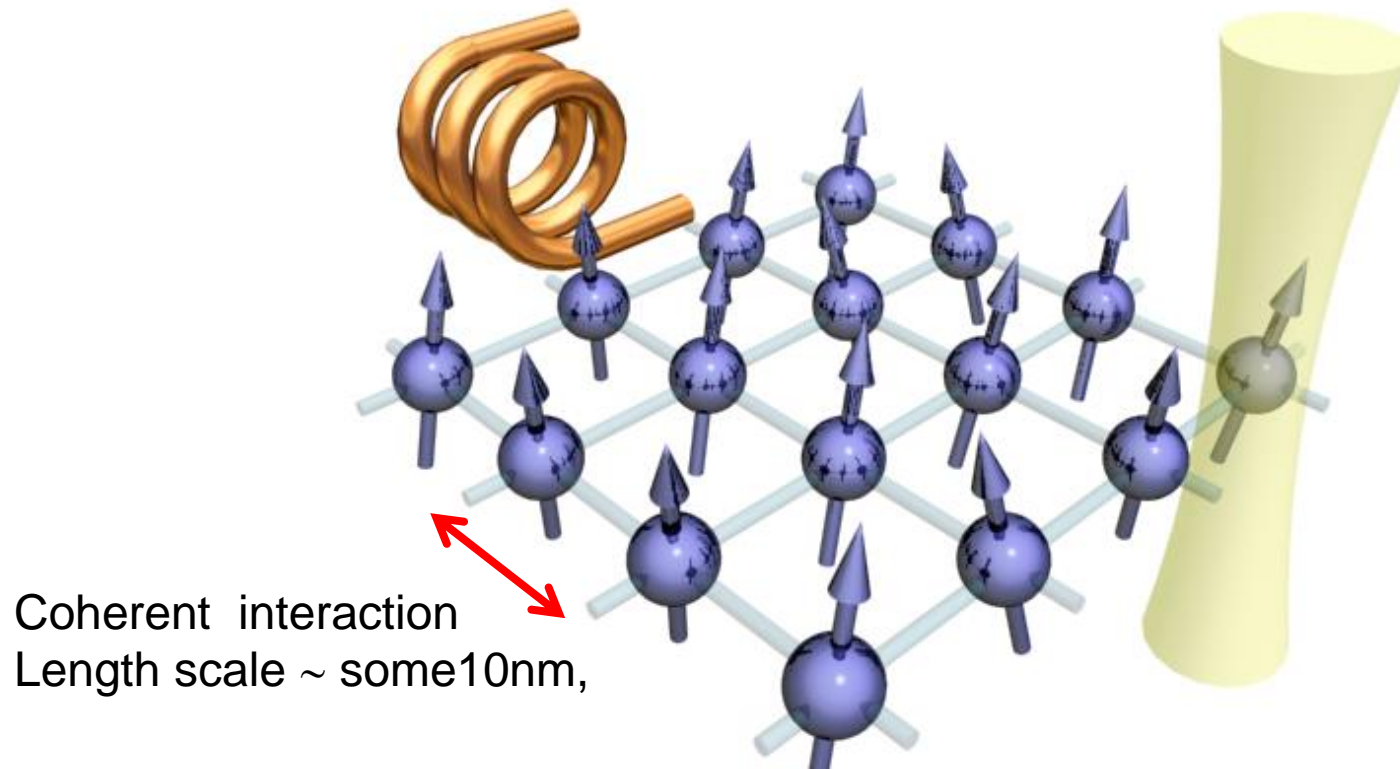
16 configurations



solid (dashed) lines are (un)coupled levels

Magnetic dipole coupled spin arrays

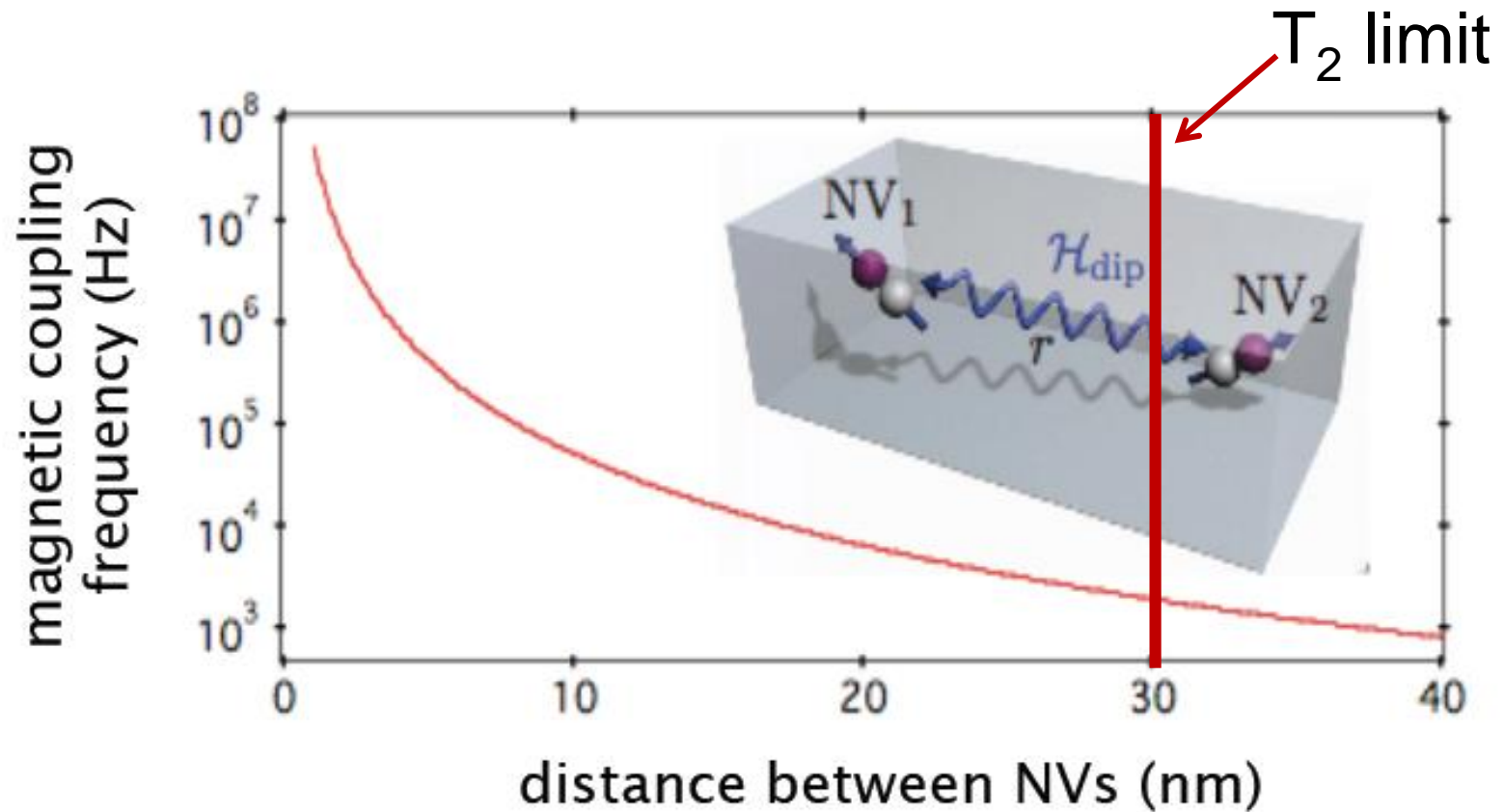
Single spin readout



Coherent interaction
Length scale ~ some 10nm,

STED on NV: 10nm resolution (Hell et al. Nat. Phot. 2009)

Magnetic dipole coupled spin arrays

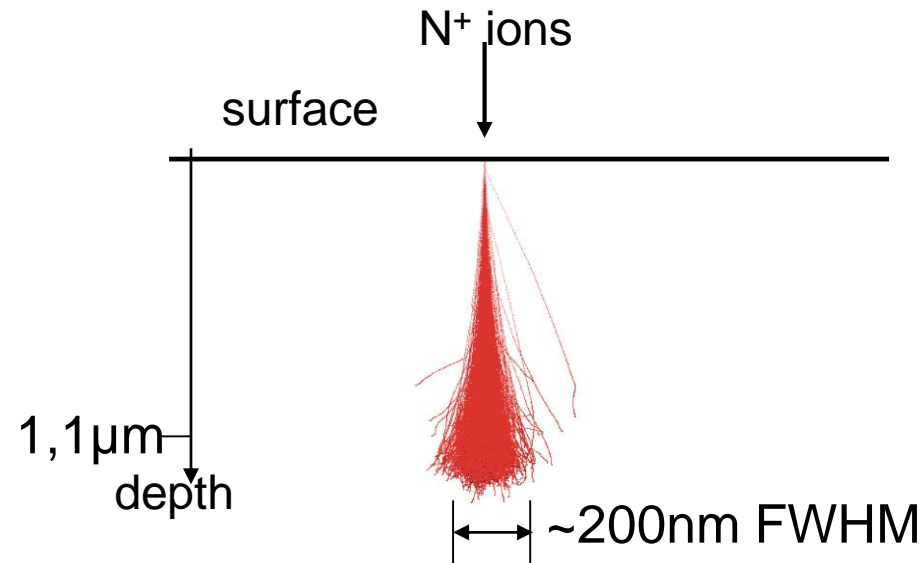
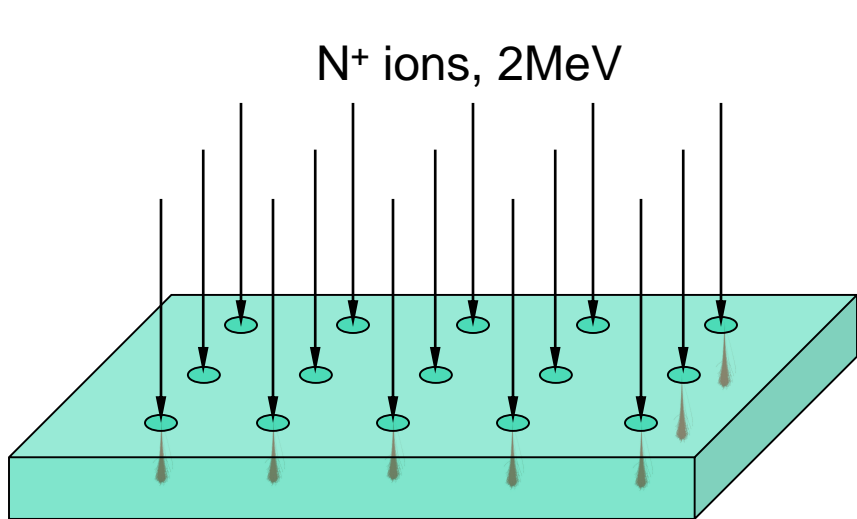


Take pure (CVD) diamond... *

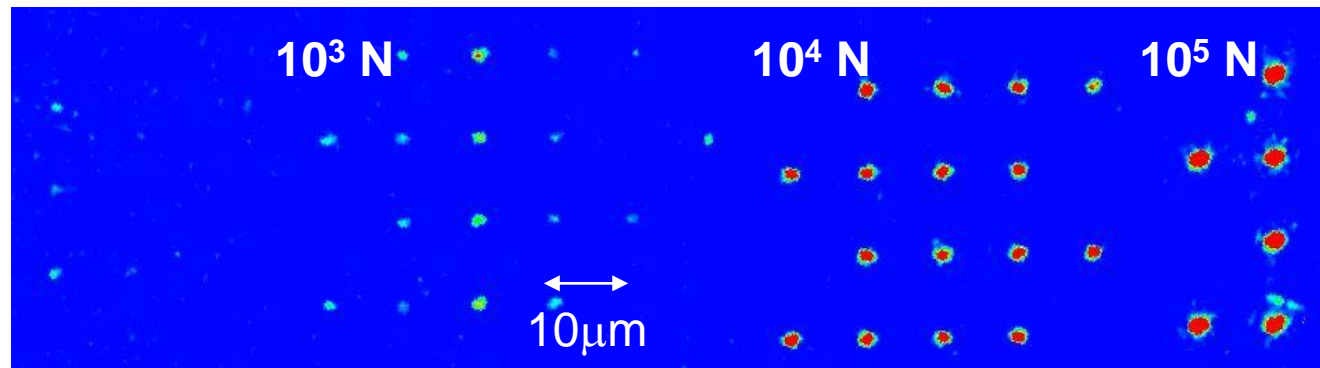


*Element Six Ltd., UK

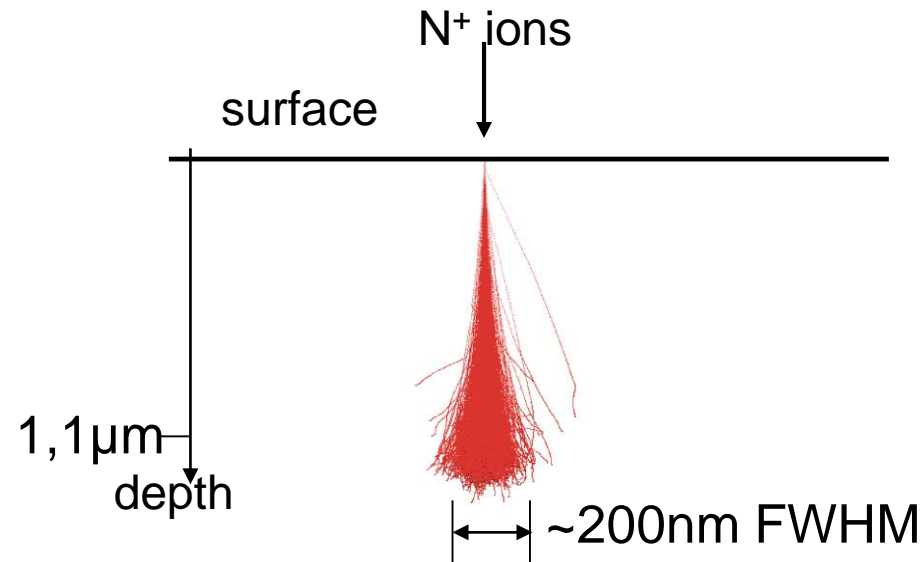
..and implant nitrogen*! (*J.Meijer; S. Prawer)



Annealing
at
900° C



Fundamental problem: Straggle



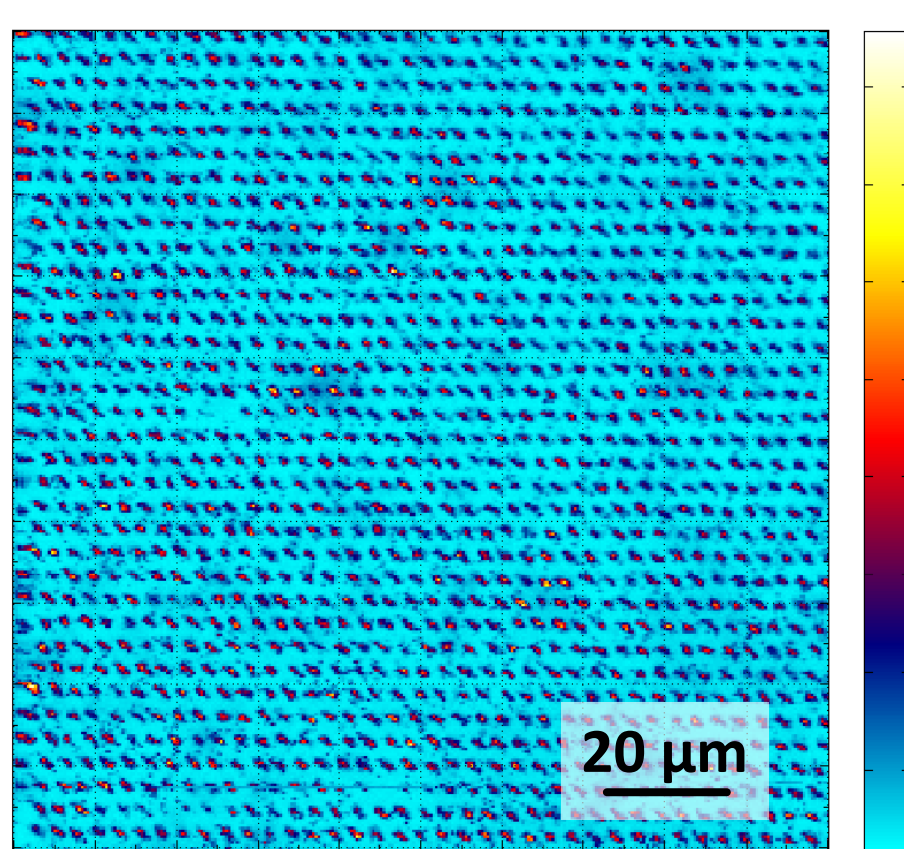
- ⇒ Position is not controlled
- ⇒ Straggle on the order of the implantation depth

- ⇒ Deep implant \leftrightarrow high distance between NVs
- Shallow implant \leftrightarrow bad T2 time due to surface

- ⇒ Solutions:
 - Shallow implant + Overgrowth
 - deep implant + extensive search

Writing Defect Dimers with 10 MeV μ beam implantation

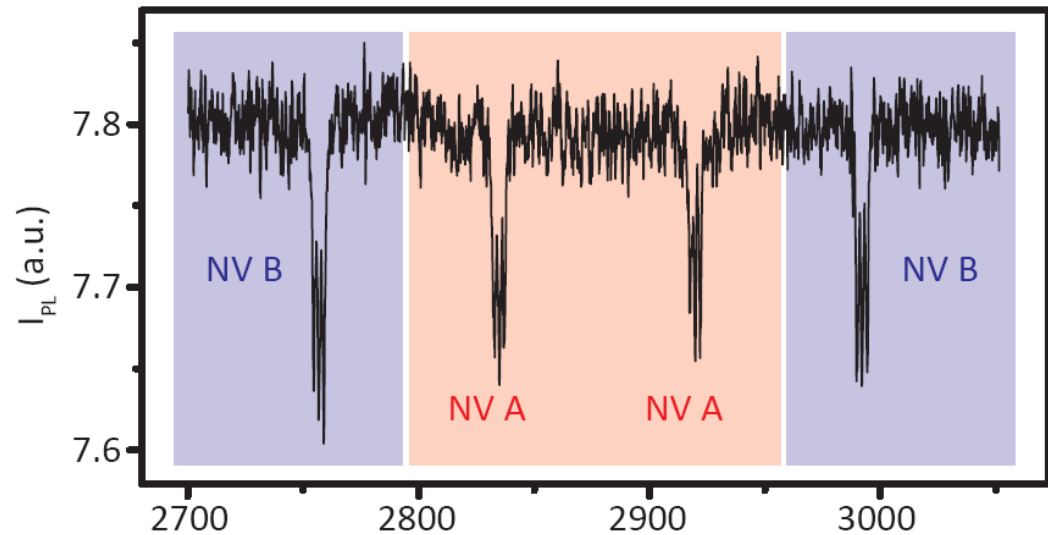
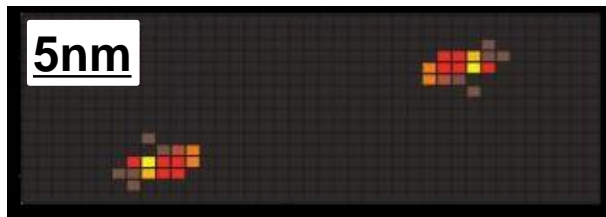
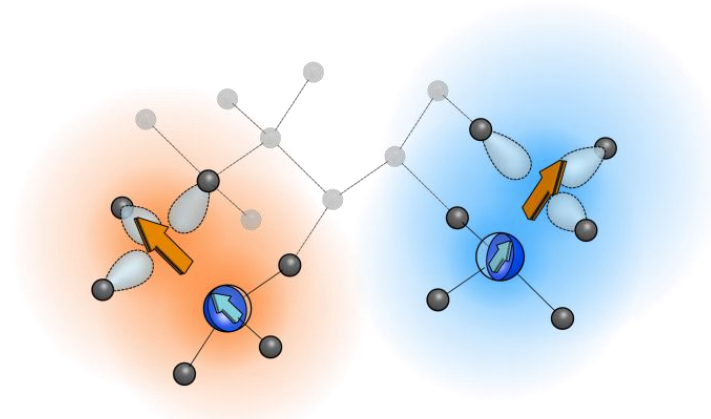
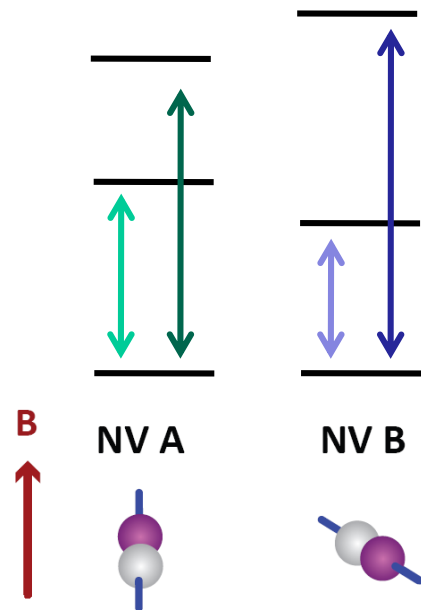
- Success chance 1% to have two coherently interacting dimers



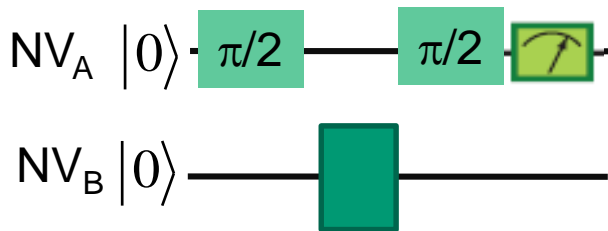
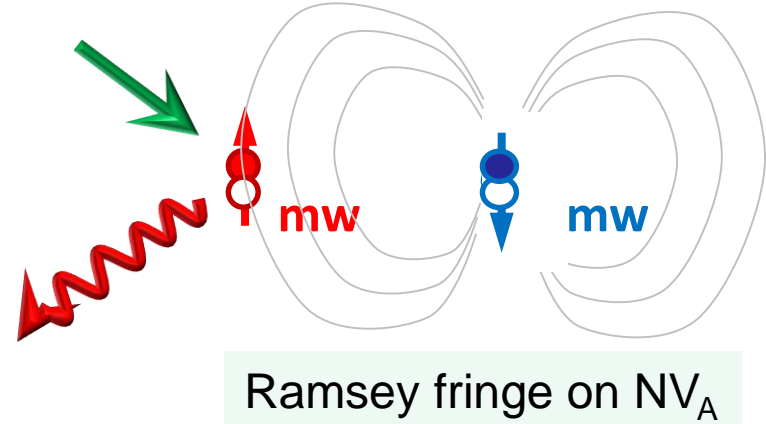
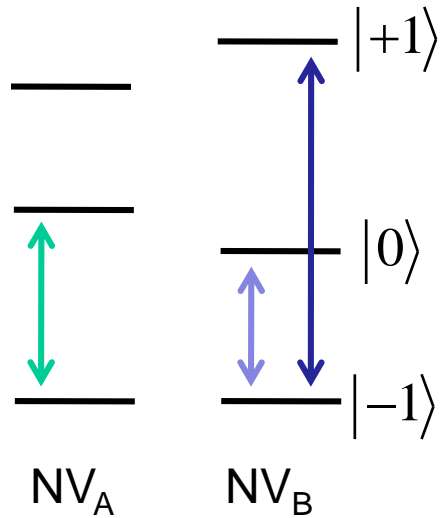
Two defect centers

Electron spin ground state:

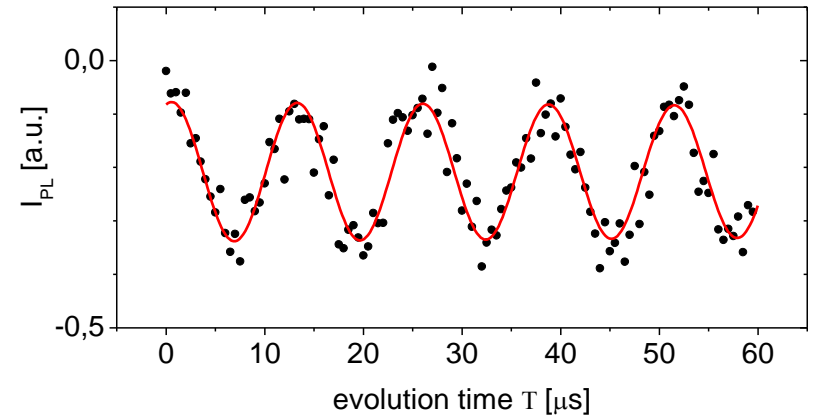
$$H = g\beta\mathbf{B}\mathbf{S}_{A,B} + (\mathbf{S}\bar{\mathbf{D}}\mathbf{S})_{A,B} + S_A\bar{\mathbf{T}}\mathbf{S}_B$$



Dipolar coupling: Switching of Spin B



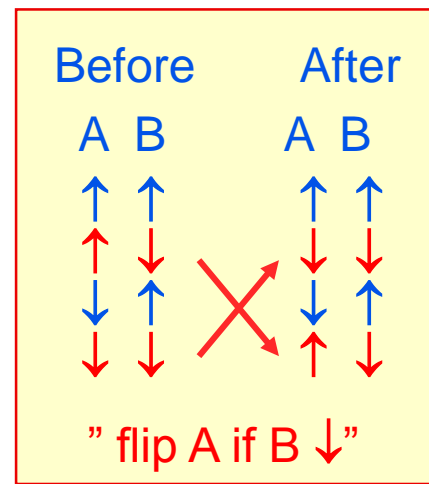
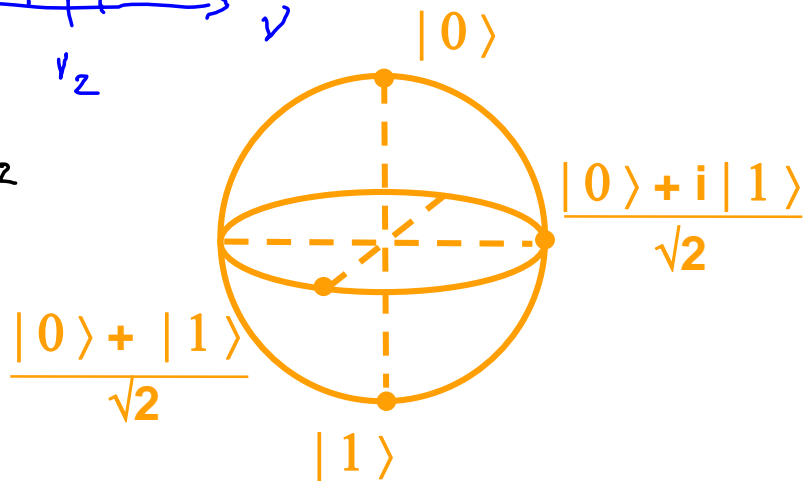
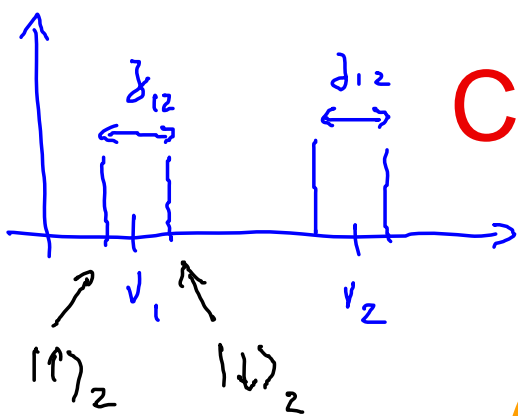
Initial state $F \geq 85\%$



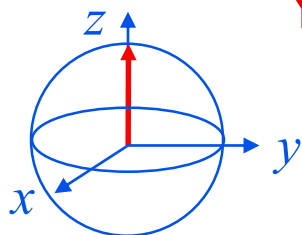
Switchable interaction! Coupling between defect: 0,5,10,20 kHz

Controlled-NOT in NMR

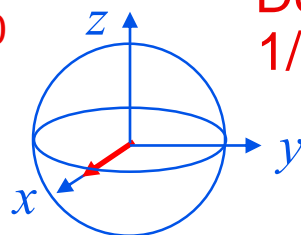
A target bit
B control bit



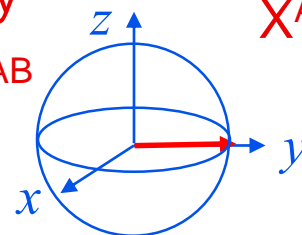
if spin B is \uparrow



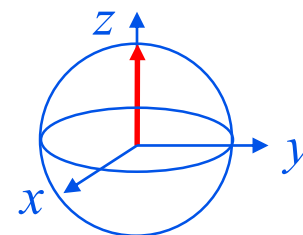
Y^A_{90}



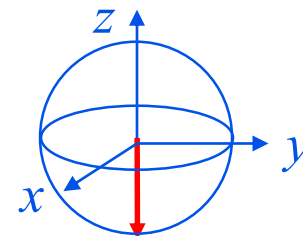
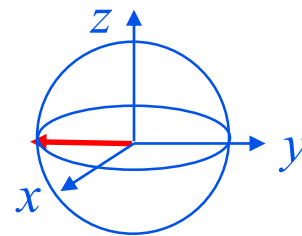
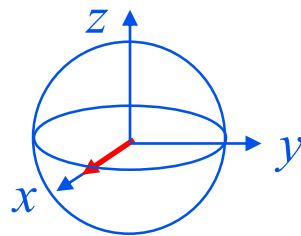
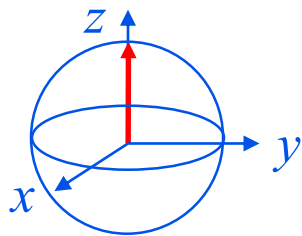
wait
Delay
 $1/2J_{AB}$



X^A_{90}



if spin B is \downarrow

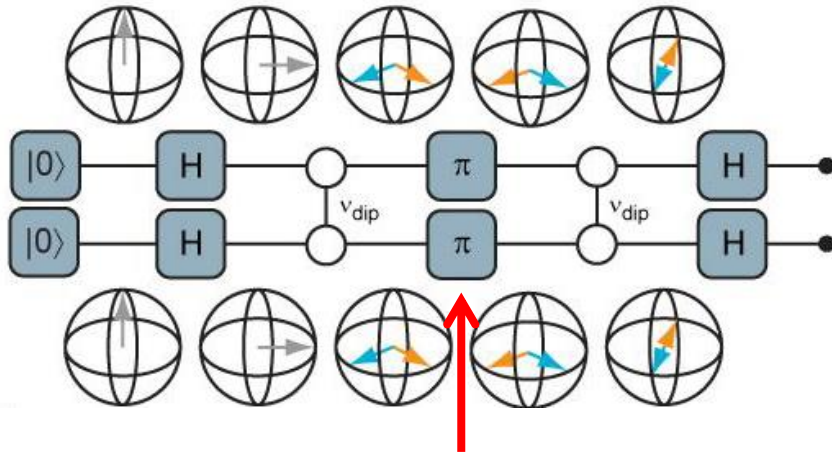


different rotation direction depending on control bit

time \longrightarrow

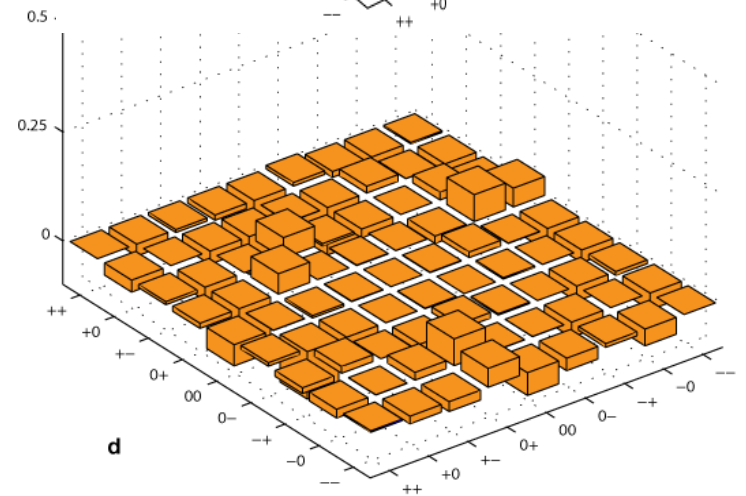
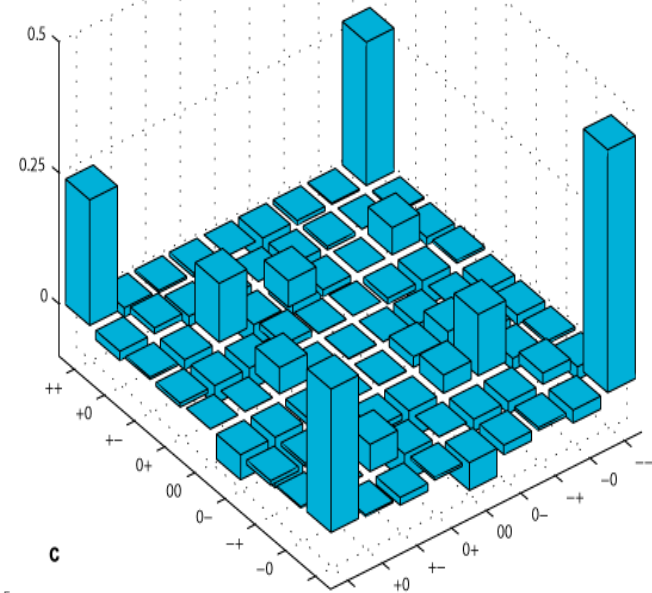
Bell state: Density matrix tomography

$$\Phi_+ = \frac{1}{\sqrt{2}}(|++\rangle + |--\rangle)$$



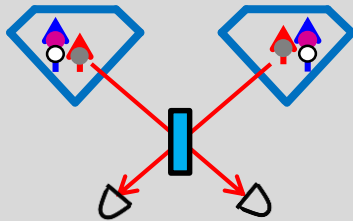
decoupling

Fidelity Φ_+ : 0.67
(theoretically: 0.9)



Coupling NV centers

Photons



Cirac, Zoller
Lukin `06

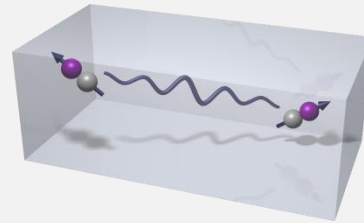
- Proper levels and transitions

Manson, Hemmer, Santori

- Transfer limited photons:
Batalov et al. PRL 08

- But: bad coupling efficiency

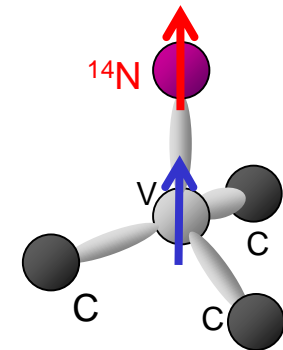
Magnetic Dipolar coupling



- Magnetic dipoles

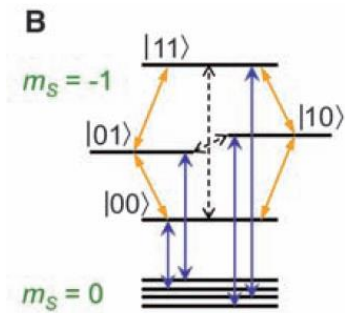
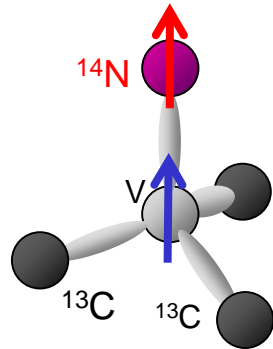
$$d_{\text{coherent}} \propto \sqrt[3]{T_2}$$

Use nuclear spin qubits



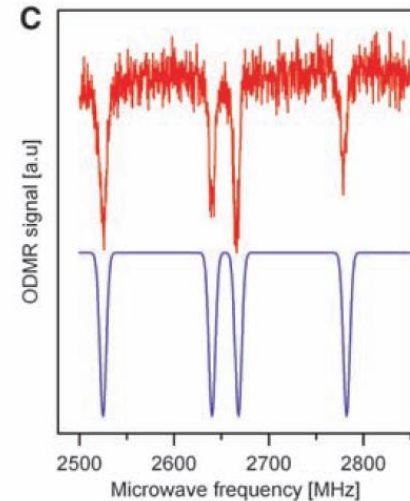
- Couple NV to surrounding nuclei
- Couple nuclei via NV
- Read out single nuclei

Coupling nearby ^{13}C nuclei



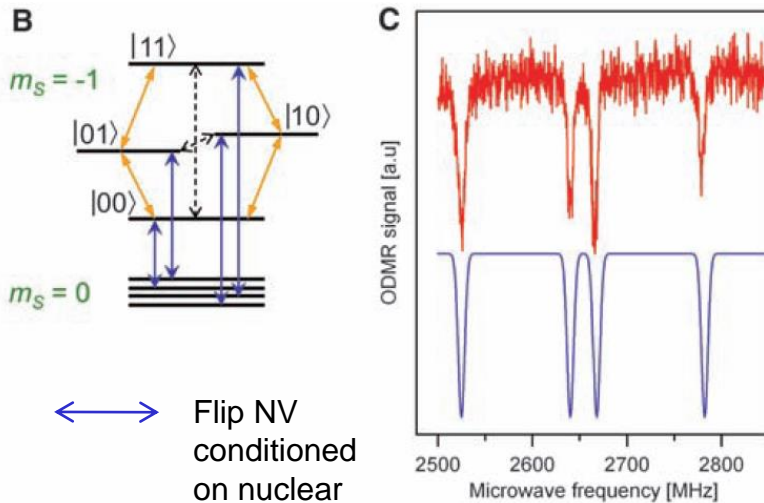
↔ Flip NV
conditioned
on nuclear
state

↔ Flip nuclei
conditioned
on NV and nuclear
state



- ^{13}C nuclear spin creates magnetic field at NV
- CNOT gate is implemented by selective microwave transition (flip nucleus if other nucleus is in $|0\rangle$)

Creation of entangled states



↔ Flip NV
conditioned
on nuclear
state

↔ Flip nuclei
conditioned
on NV and nuclear
state

- Creation of entangled states possible
 $|00\rangle \mp |11\rangle$

P. Neumann et al., Science **320**, 1326 (2008)

- Scaling up to four nuclear spins straightforward,
- Scaling to 10-20 spins presumably possible

Different development: QND readout of nuclear spins

Readout of single quantum systems

Standard readout

<1 photon per run

limited by photon shot noise (at best)

Example: fluorescence detection of single NV

Single shot readout

determine spin state in a single run but
destroy the system or its quantum state

(requires >1 photon per run)

limited by quantum shot noise

Example: Photon detection in Photomultiplier

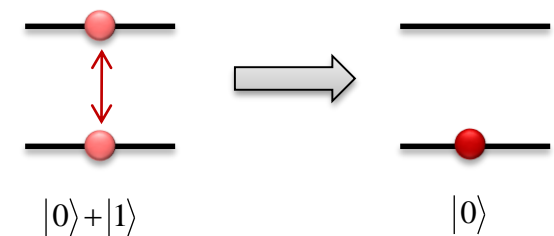
Quantum non demolition (QND) readout

>1 photon per run

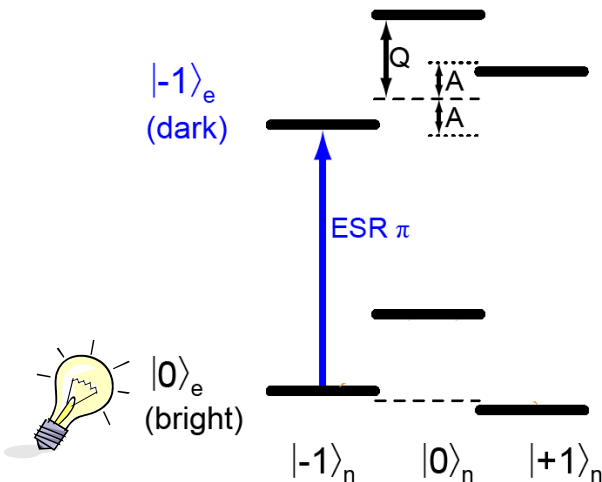
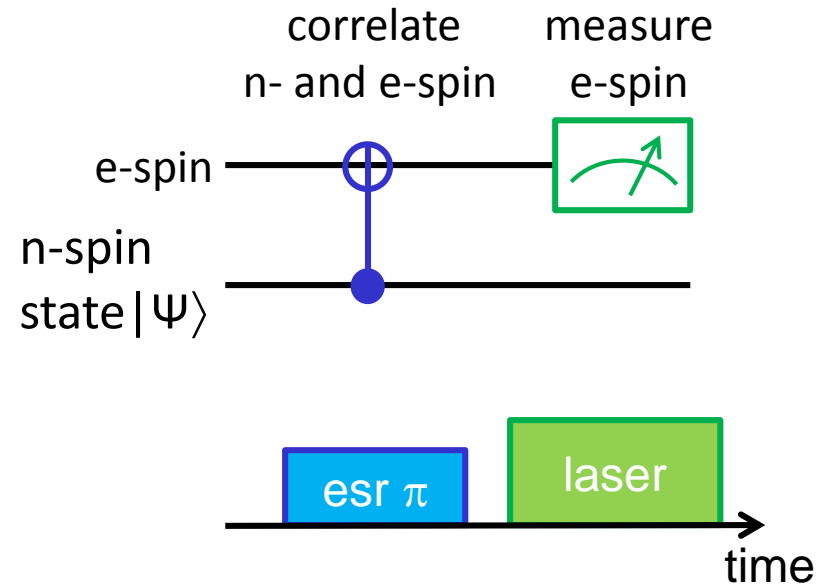
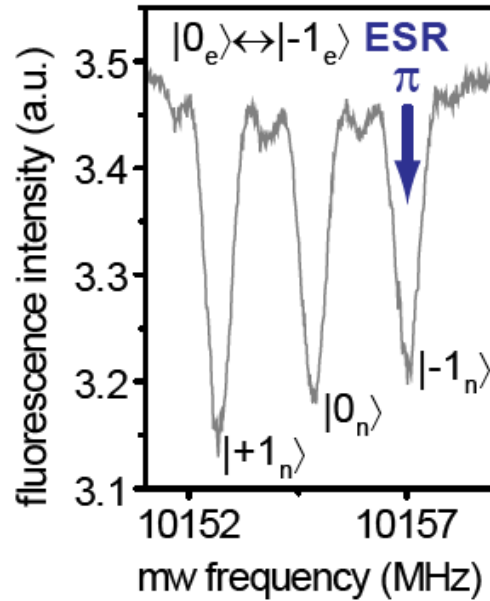
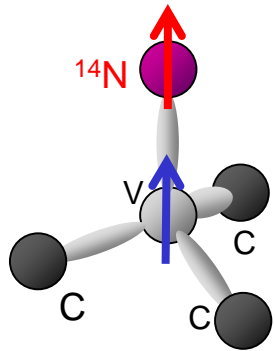
and preservation of the system and its spin state

Projective measurement

Example: Microwave photons in cavity (Haroche)

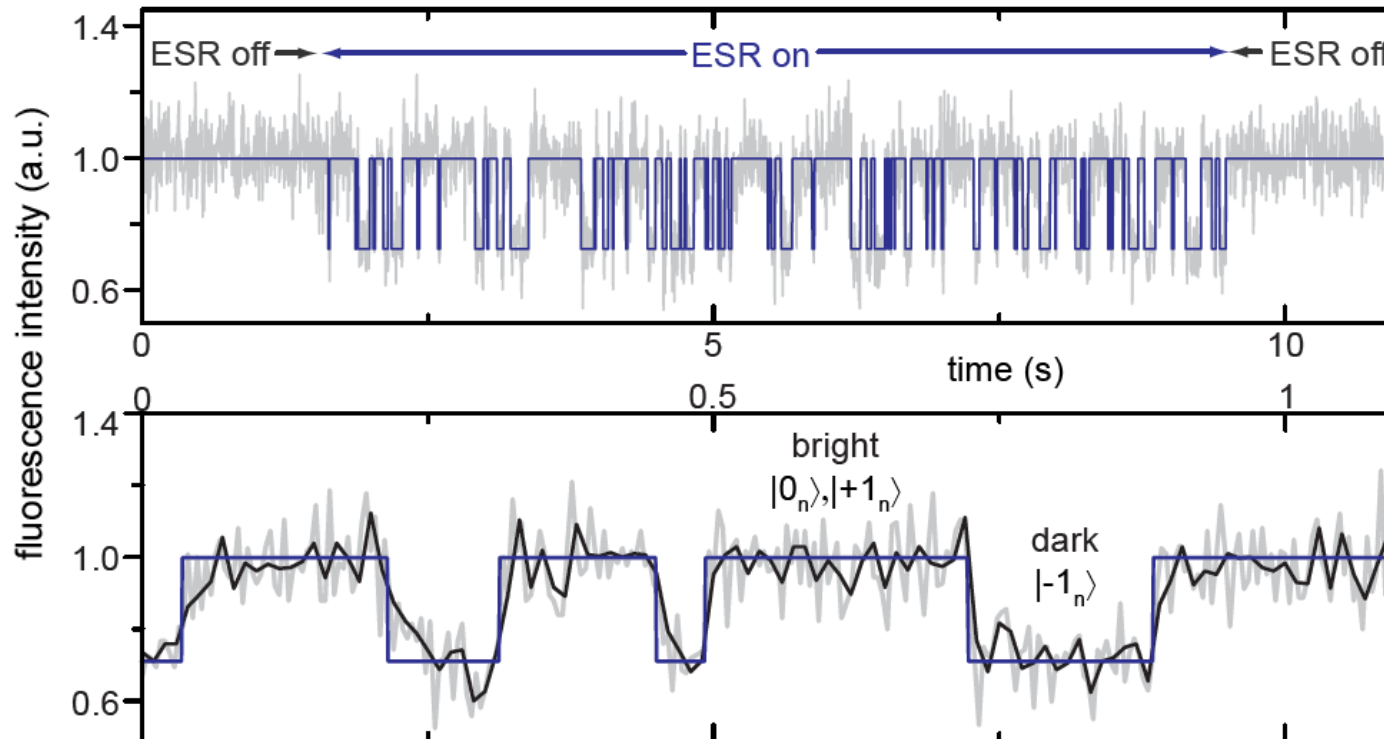


QND readout of a single nuclear spin



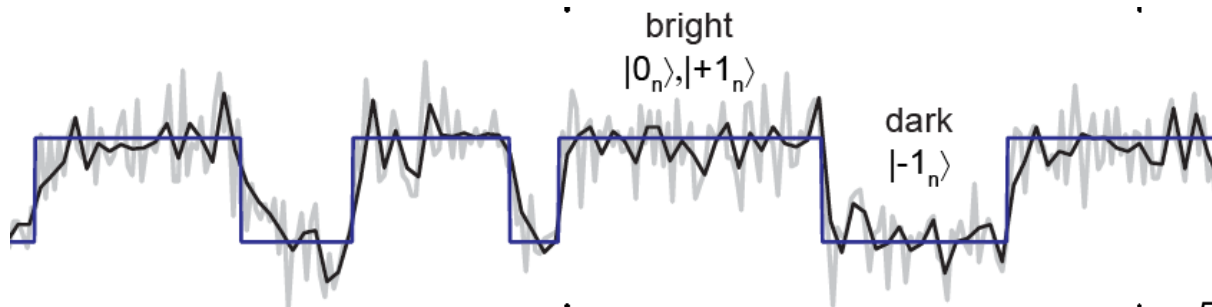
Observing flips of a single nuclear spin

- Repetitive QND measurements reveal quantum jumps of a single nuclear spin (in diamond at room temperature)

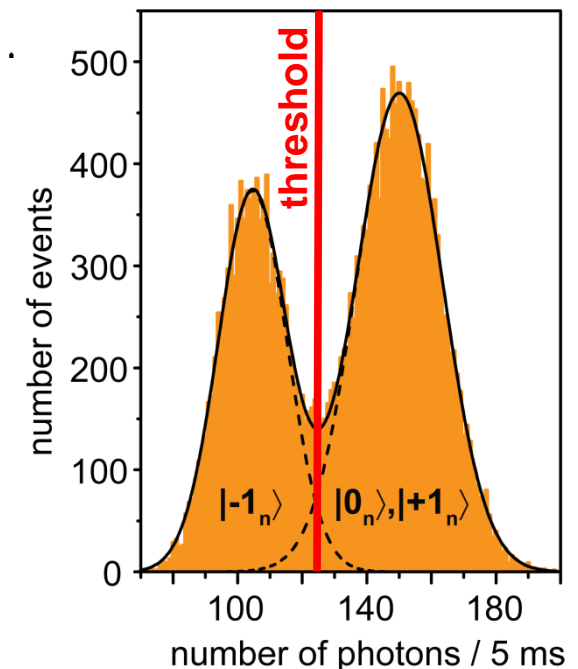


Fidelity of spin state detection

➤ Photon counting histogram of timetrace

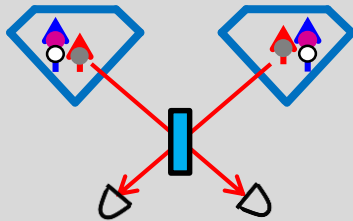


- Two almost perfect Poissonians
- Threshold for state discrimination
 - Fidelity from overlap 99%
 - Fidelity to detect given state 92%



Coupling NV centers

Photons



Cirac, Zoller
Lukin `06

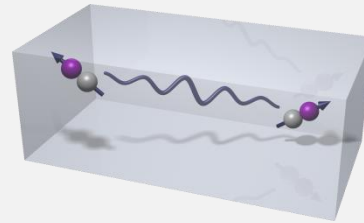
- Proper levels and transitions

Manson, Hemmer, Santori

- Transfer limited photons:
Batalov et al. PRL 08

- But: bad coupling efficiency

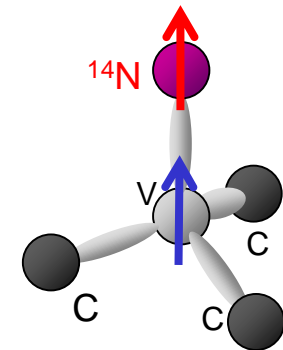
Magnetic Dipolar coupling



- Magnetic dipoles

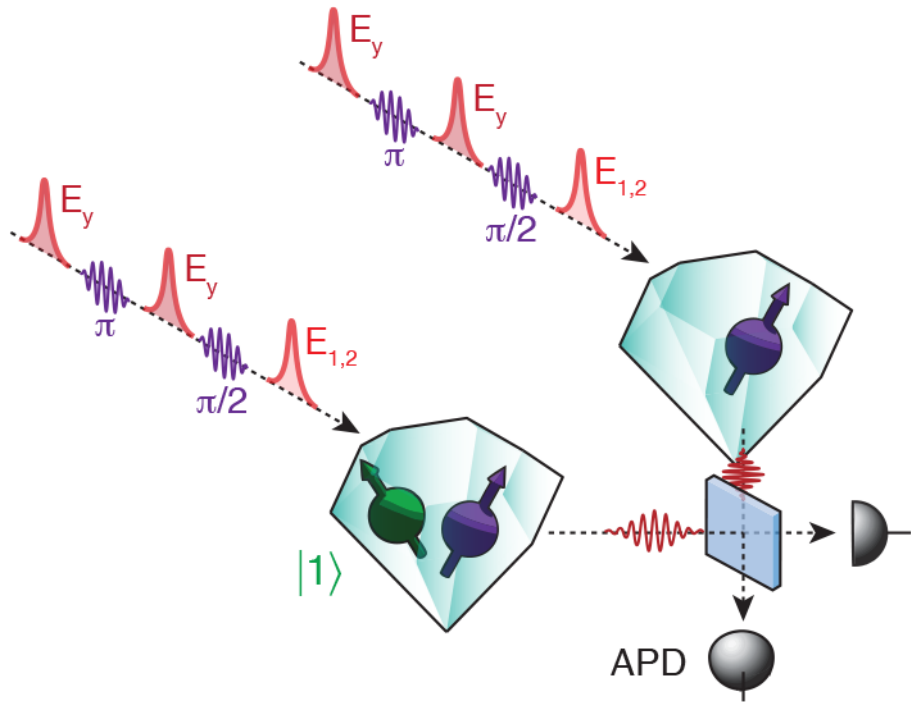
$$d_{\text{coherent}} \propto \sqrt[3]{T_2}$$

Use nuclear spin qubits



- Couple NV to surrounding nuclei
- Couple nuclei via NV
- Read out single nuclei

Preparing the teleporter: entangling remote qubits



*Experiments with trapped atoms:
Monroe group, Nature 2007
Weinfurter group, Science 2012
Rempe group, Nature 2012*

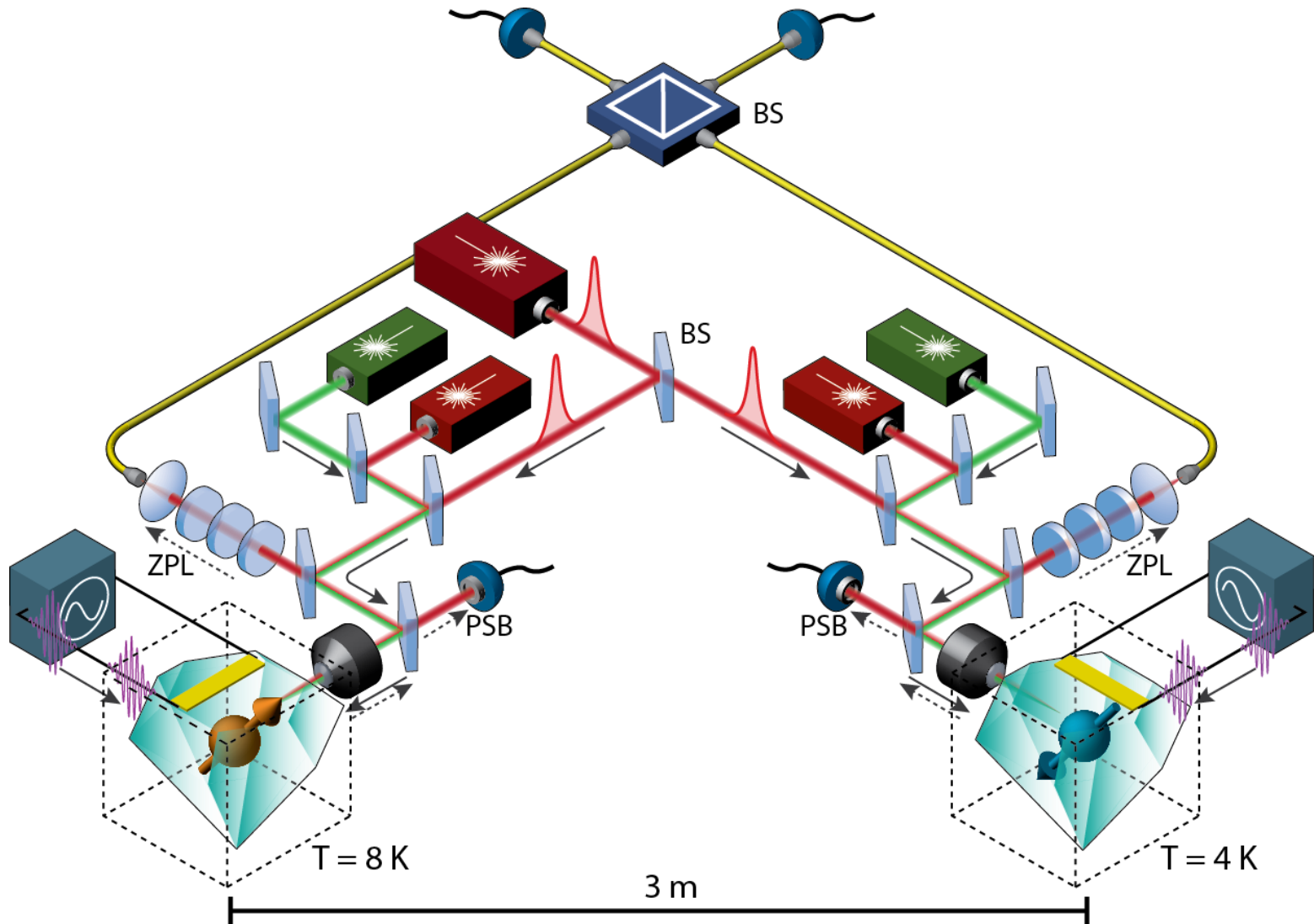
*we use the scheme proposed in:
Barrett and Kok, PRA 71, 060310 (2005)*

- locally entangle electron spin and photon
- project photons onto entangled state by joint measurement

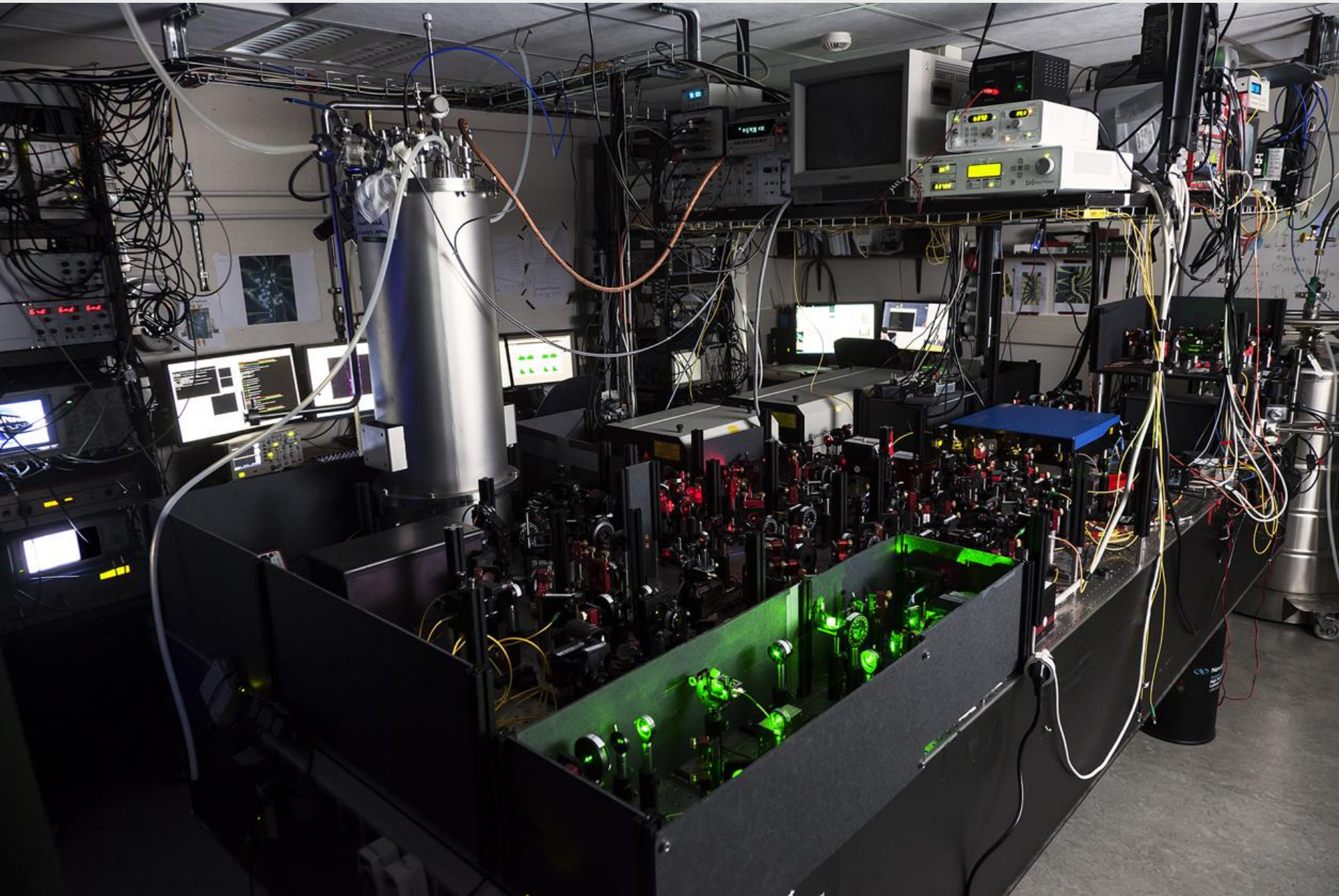
entanglement is heralded by photon detection:

photon loss reduces success rate, but not fidelity of final state

Remote entanglement: setup



Remote entanglement: setup



Remote entanglement: results

Nature 497, 86 (2013)

$$|\psi^\pm\rangle = \frac{1}{\sqrt{2}}(|\downarrow_A \uparrow_B\rangle \pm |\uparrow_A \downarrow_B\rangle)$$

State fidelity

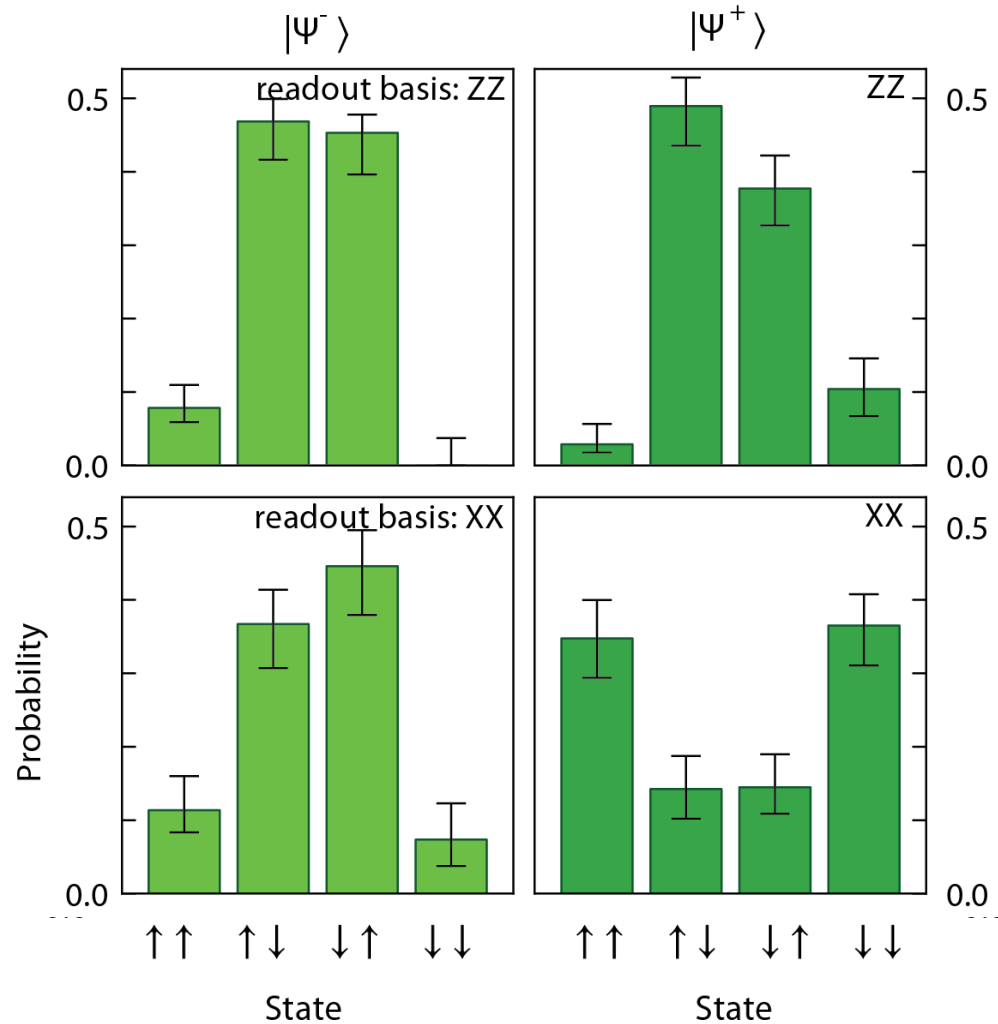
$F(\Psi^-) \approx 73\%$

$F(\Psi^+) \approx 87\%$

Success probability

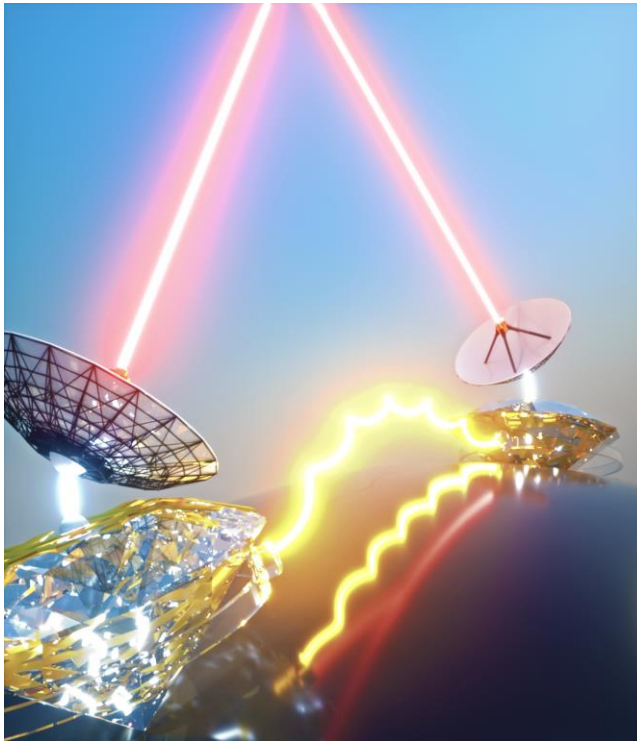
$\approx 10^{-7}$; one event per 10 minutes

$\approx 3 \cdot 10^{-6}$; one event per 100 s



Prospects in quantum information processing with NV centers in diamond: quantum networks

Quantum Internet



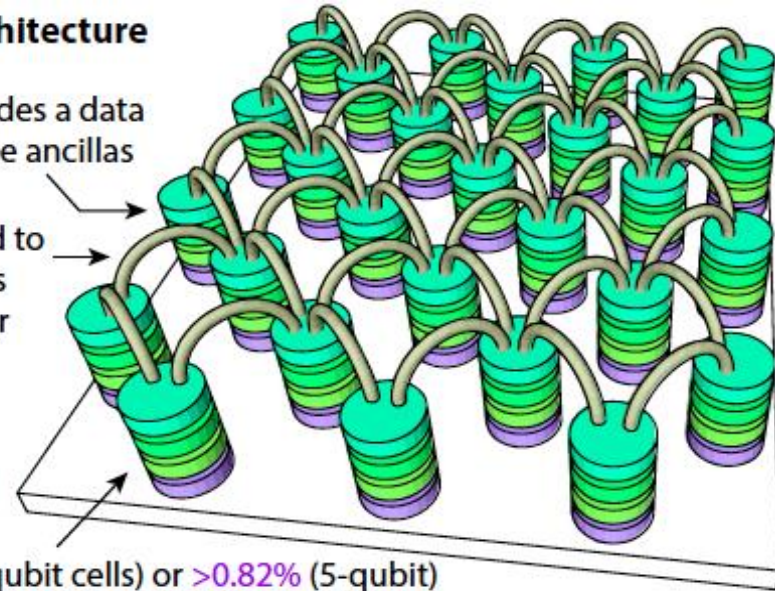
Topological quantum computing

Network architecture

each cell includes a data qubit and three ancillas

cell networked to four neighbors
(tolerable error rate is $>10\%$)

within each cell, threshold rate of errors is $>0.75\%$ (4-qubit cells) or $>0.82\%$ (5-qubit)



*Nickerson, Li, Benjamin,
Nature Communication 2013*

- Loophole-free Bell test
- Device-independent quantum key distribution
- Quantum cloud computing

Barz et al., Science 2012